Turbulence in the boundary regions and in the solar wind

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OUTLINE

Evidence of turbulence in the boundary regions

Cluster and multipoint measurements

Our present knowledge and questions

Evidence of turbulence in the boundary regions

Magnetic turbulence

The AC measurements of the magnetic field have a good resolution that makes it possible to observe small scale turbulence in plasma. It is impossible with particle data (velocity fluctuations).



Rezeau et al, 1986

Magnetospheric boundaries



•Very high level of turbulence in the magnetosheath behind the shock

•Still higher level at the magnetopause

Properties of the fluctuations



Statistical results on the spectral indices depending on the region



GEOS Data at the equatorial magnetopause

Rezeau et al, 1989

Why study turbulence in space?

- Turbulence may be a consequence of the shock (same as in hydrodynamics)
- Turbulence induces *cross scale coupling*, leading to:
 - * Increased diffusion (*anomalous*)
 - * Increased transports of heat (*anomalous* thermal conductivity), momentum (*anomalous* viscosity, friction, resistivity)
 - * Accelerated mixing of different layers
 - * Most generally modeled by effective "*non ideal*" terms to be added in large scale laminar equations

But still much **more crucial** in space than in hydrodynamics because no « normal » transport in collisionless plasmas

A big step ahead with 3D measurements : CLUSTER

First CLUSTER results at the shock



Cornilleau et al, 2001

First CLUSTER results



The magnetopause crossings can be diagnosed on the wave data

Rezeau et al, 2001

1 point vs 4 points measurements

From one single spacecraft, it is impossible to disentangle this spatio-temporal ambiguity

Even for one mono-k wave,

one observer cannot separate the role of the wavelength and the role of the propagation velocity in the temporal variation observed



For several waves, or a complete spectrum, it is obviously worst. Except if the Taylor hypothesis can be made (Doppler effect dominant) : $\omega_s = \omega + \mathbf{k} \cdot \mathbf{v} \approx \mathbf{k}_f v$ only in the direction of the flow

But with multipoint measurements can we do better?

- ω and **k** spectra ?
- Polarization at each ω , **k** ?

K-filtering

Idea: from two spacecraft, it is possible to separate ω and k_x by correlating two identical scalar quantities at the two points: *if one single* k_x

$$\frac{B_{i1}B_{i2}^{*}}{|B_{i1}||B_{i2}|} = e^{i\phi_{i}} \qquad \Rightarrow \qquad k_{x} = \frac{\phi_{i}}{x_{2} - x_{1}}$$

K-filtering :

Optimization of the simultaneous use of all the possible correlations that can be calculated from the data:12x12 *correlation matrix for the 3* **B** *components and 4 spacecraft*

Non linear method of the *«maximum likelihood»* type, based on filters that are transparent for mono-k waves and depend on the data + external constraints such as

 $\nabla . \mathbf{B} = 0$



K -Spectra

For each observed frequency f_s , the *k*-filtering analysis can provide a 3-D *k*-spectrum. An integration over f_s provides the full spatial spectrum.

Limits:

• Demands signals that are "sufficiently" stationary and homogeneous

• Aliasing effect if λ < spacecraft separation (*but the problem can be identified and generally corrected*)

• the effective frequency range where kfiltering can apply is restricted a limited $[f_{min}, f_{max}] \approx 1.5$ decades



Sahraoui, 2003



Strong anisotropies along \mathbf{B}_{0} and the magnetopause normal N

Power law spectrum

along v:

$$B^2 \sim k_{v}^{-8/3}$$



[Sahraoui et al., PRL., 2006]

Correlation with upstream activity



The magnetosheath low frequency fluctuations power is correlated to solar wind dynamic pressure

Turbulence is observed also in the solar wind

Spectra from STAFF and FGM merged at 1.5 Hz



Solar wind

Magnetosheath

- The level is lower in the solar wind but higher than the sensitivity of the magnetometer
- Power laws are also observed

Our present knowledge and questions

Classical view of turbulence (hydrodynamics)

L = forcing scale



Is what we observe in space plasmas similar?

Scales in the collisionless plasmas

Very large scales in the solar wind

Scale of the system (size of the magnetosheath) 50 000km

> Breaking of the scale invariance at ρ_i or d_i 100 km

> Breaking of the scale invariance at ρ_e or d_e 1 km

 \succ No viscous dissipation scale $1/k_d$

Interpretation of the turbulence in the magnetosheath



Nature of the main modes determined in the magnetosheath by k-filtering, as a function of the frequencies observed in the spacecraft frame (superimposed on a magnetic energy spectrum).

Interpretation of the turbulence in the solar wind

Caracteristic frequencies obtained by Dopplershifting the corresponding scales

- 1. Two breakpoints corresponding to ρ_i and ρ_e are observed.
- 2. A clear evidence of a new inertial range ~ $f^{-2.5}$ below ρ_i
- 3. First evidence of a dissipation range ~ f^{-4} near the electron scale ρ_e



Range where k-filtering applies

K-filtering analysis



Turbulence is $\perp B_0$ but non axisymmetric and quasi-stationnary ($\omega_{plas} \sim 0$) Turbulence develops following the Kinetic Alfvén mode (KAW)

Interpretation of the turbulence in the solar wind



Phase analysis is important

Respective role of waves and coherent structures: vortices have been observed in some cases Possibility of intermittency



Phases contain critical information for understanding the structure of the signal

And we shouldn't drop half of the information

Direct use of phases impossible



Because of the folding between 0 and 2π , the phases always look random

Surrogate signals

Original signal



Structure functions and coherence index

Structure functions

$$S_{q}(\tau) = \frac{1}{n_{\tau}} \sum_{t=0}^{n_{\tau}} \left| x(t+\tau) - x(t) \right|^{q}$$

calculated for original signal, random signal and coherent signal

Coherence indices for $q \neq 2$

 $C_{\Phi}(q,\tau) = \frac{|S_{O}(q,\tau) - S_{R}(q,\tau)|^{1/q}}{[|S_{O}(q,\tau) - S_{R}(q,\tau)| + |S_{O}(q,\tau) - S_{C}(q,\tau)|]^{1/q}}$

 $C_{\Phi}(q, \tau) = 1 \rightarrow B_{O}$ is coherent $C_{\Phi}(q, \tau) = 0 \rightarrow B_{O}$ is random

Example on magnetosheath Cluster data





[Sahraoui, 2008]

Conclusion

The 4 point CLUSTER measurements together with sophisticated signal processing methods allow to understand the physics of the small-scale fluctuations in the different regions of the magnetophere and solar wind....

But we are limited in the scales we can explore \rightarrow new concepts of missions

Future possible missions



EIDOSCOPE

multiscale

MMS: launch August 2014



Magnetospheric Multiscale Mission (NASA)

small scale

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