

Planet - Star Plasma Interactions

Philippe Zarka

LESIA, Observatoire de Paris/CNRS, Meudon

philippe.zarka@obspm.fr



References :

- Zarka, P., Plasma interactions of exoplanets with their parent star and associated radio emissions, *Planet. Space Sci.*, 55, 598-617, 2007.
- Griessmeier, J.-M., P. Zarka and H. Spreeuw, Predicting low-frequency radio fluxes of known extrasolar planets, *Astron. Astrophys.*, 475, 359-368, 2007.

- Interest of LF radio observations of exoplanets
- Theoretical predictions
 - planetary radio emissions
 - energy sources
 - scaling laws
 - extrapolation to exoplanets
- Conclusion

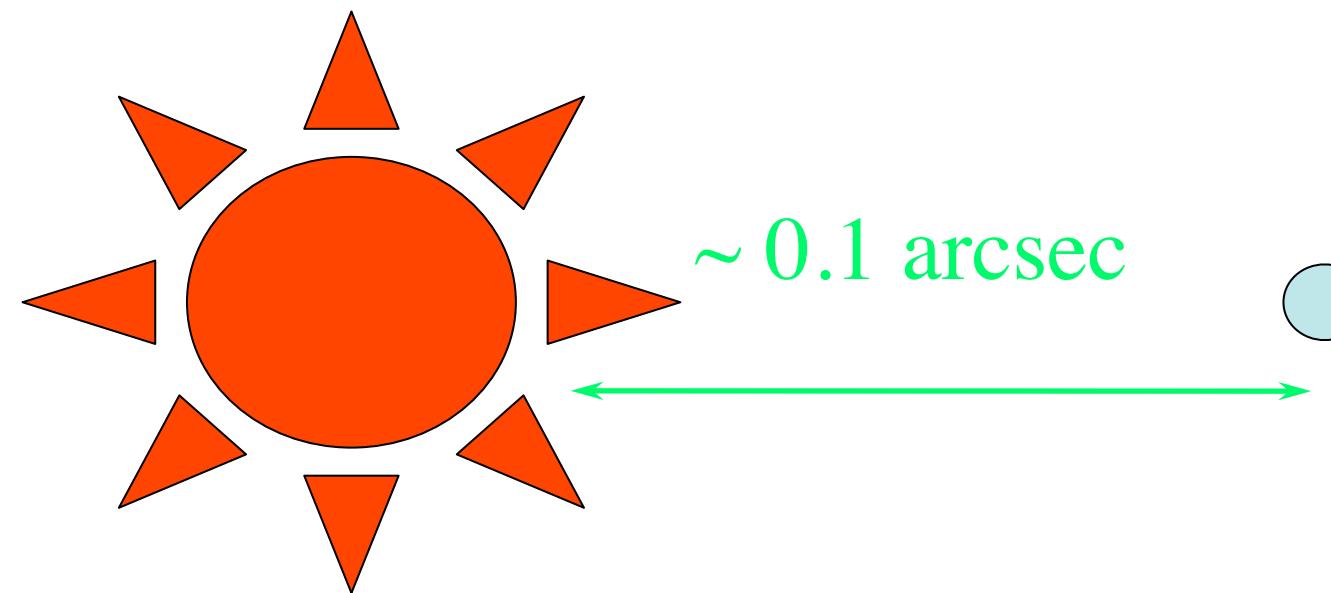
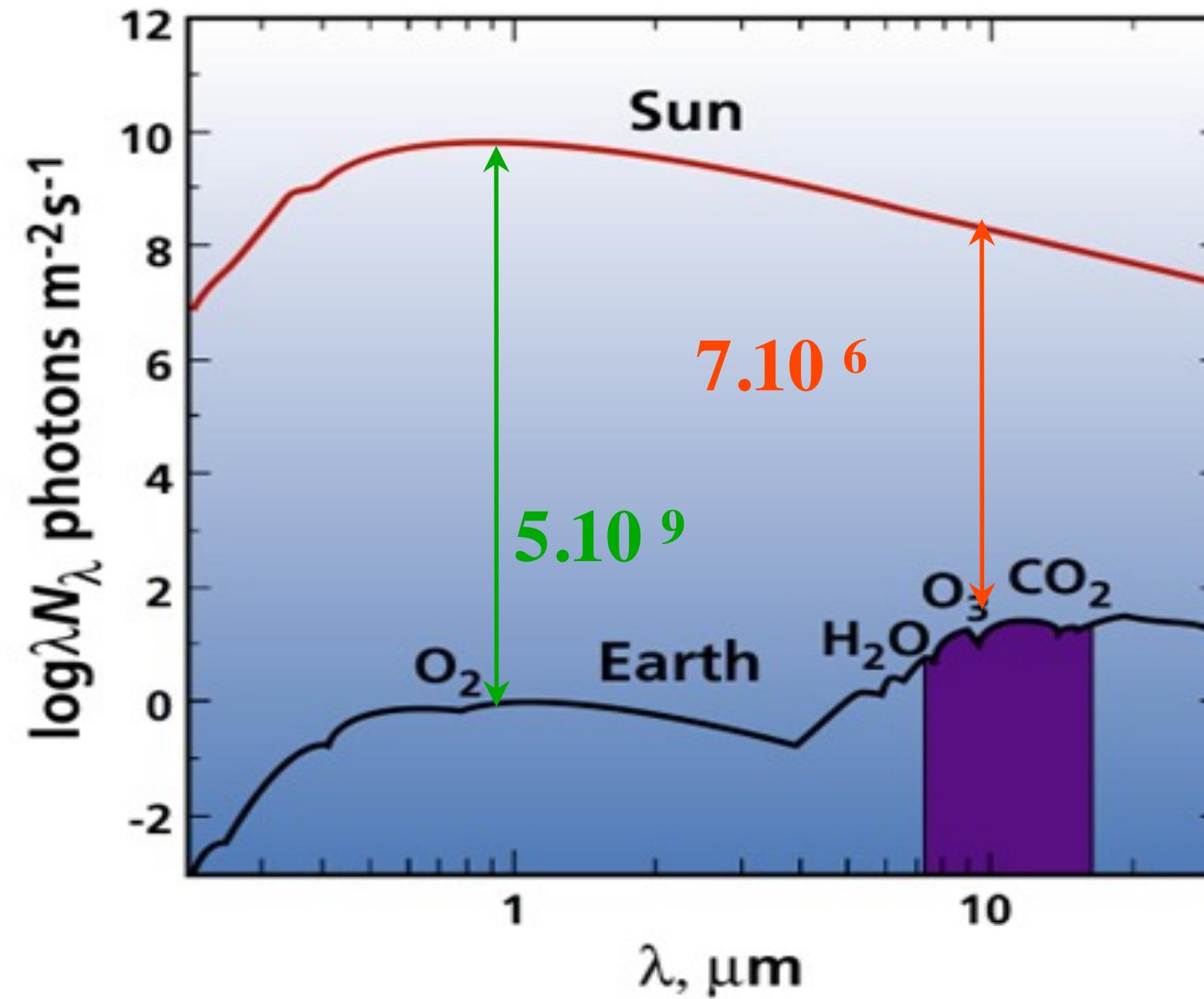


- Interest of LF radio observations of exoplanets
- Theoretical predictions
 - planetary radio emissions
 - energy sources
 - scaling laws
 - extrapolation to exoplanets
- Conclusion

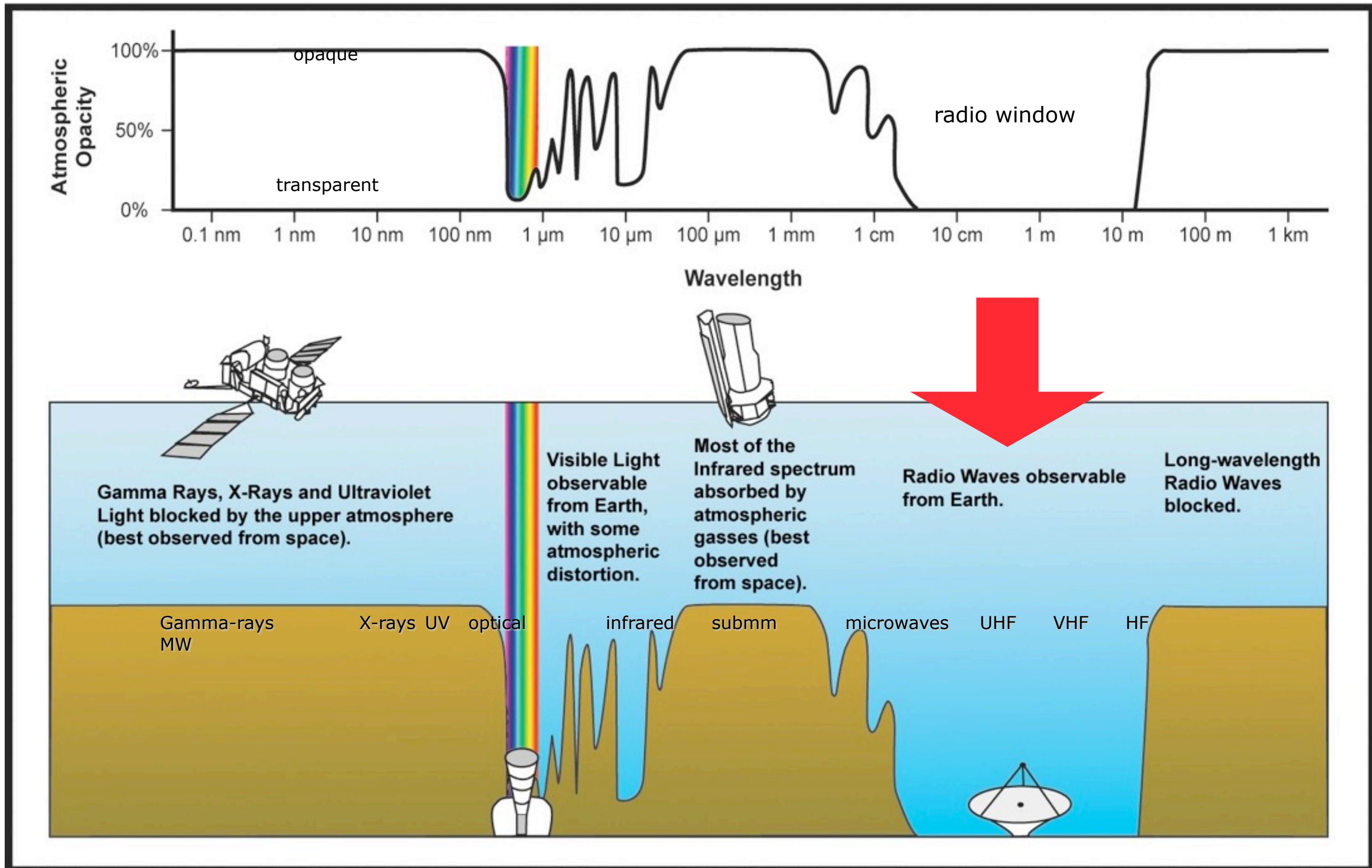


Obstacles to direct exoplanet detection

→ contrast & proximity star/planet

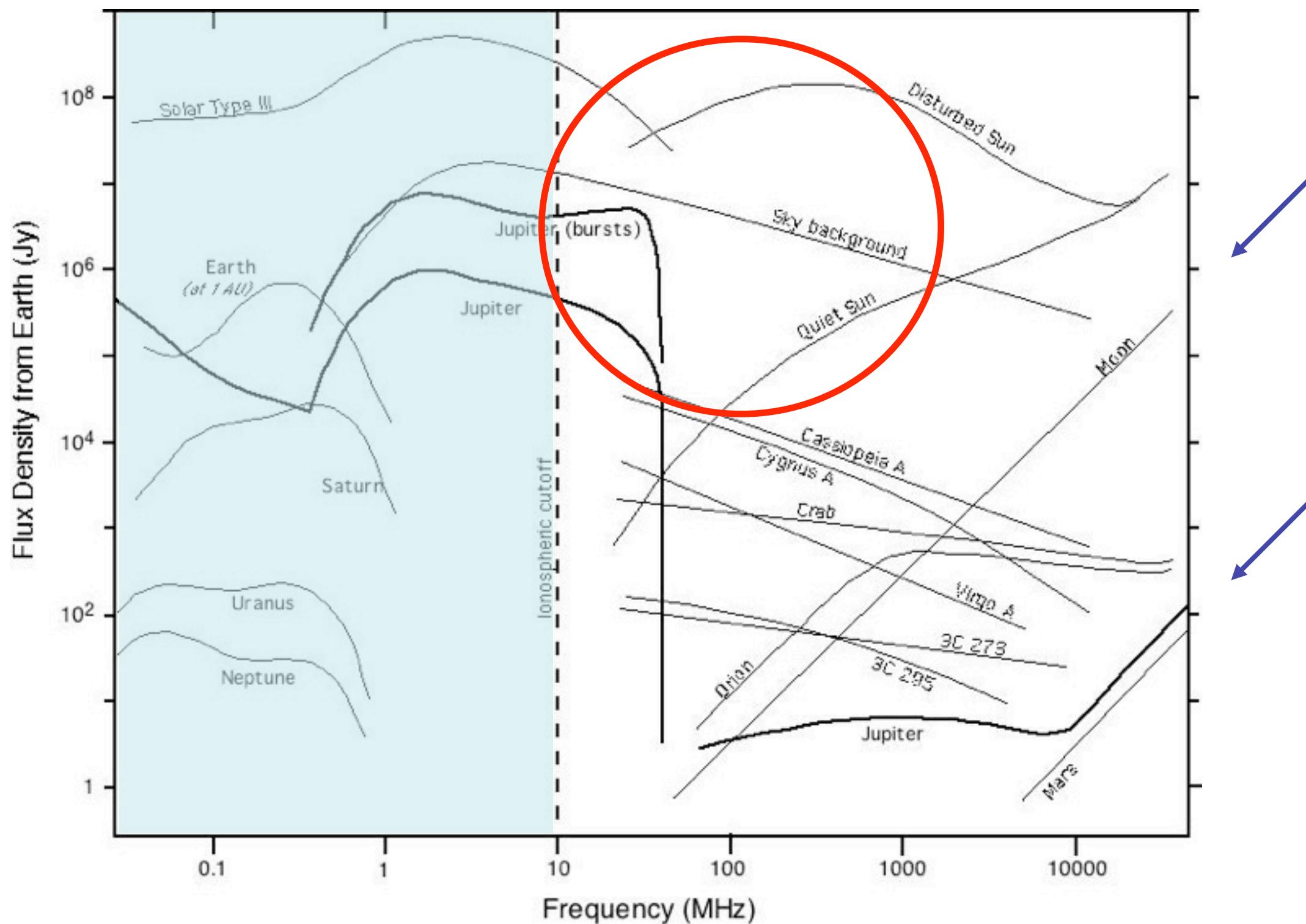


Atmospheric transparency



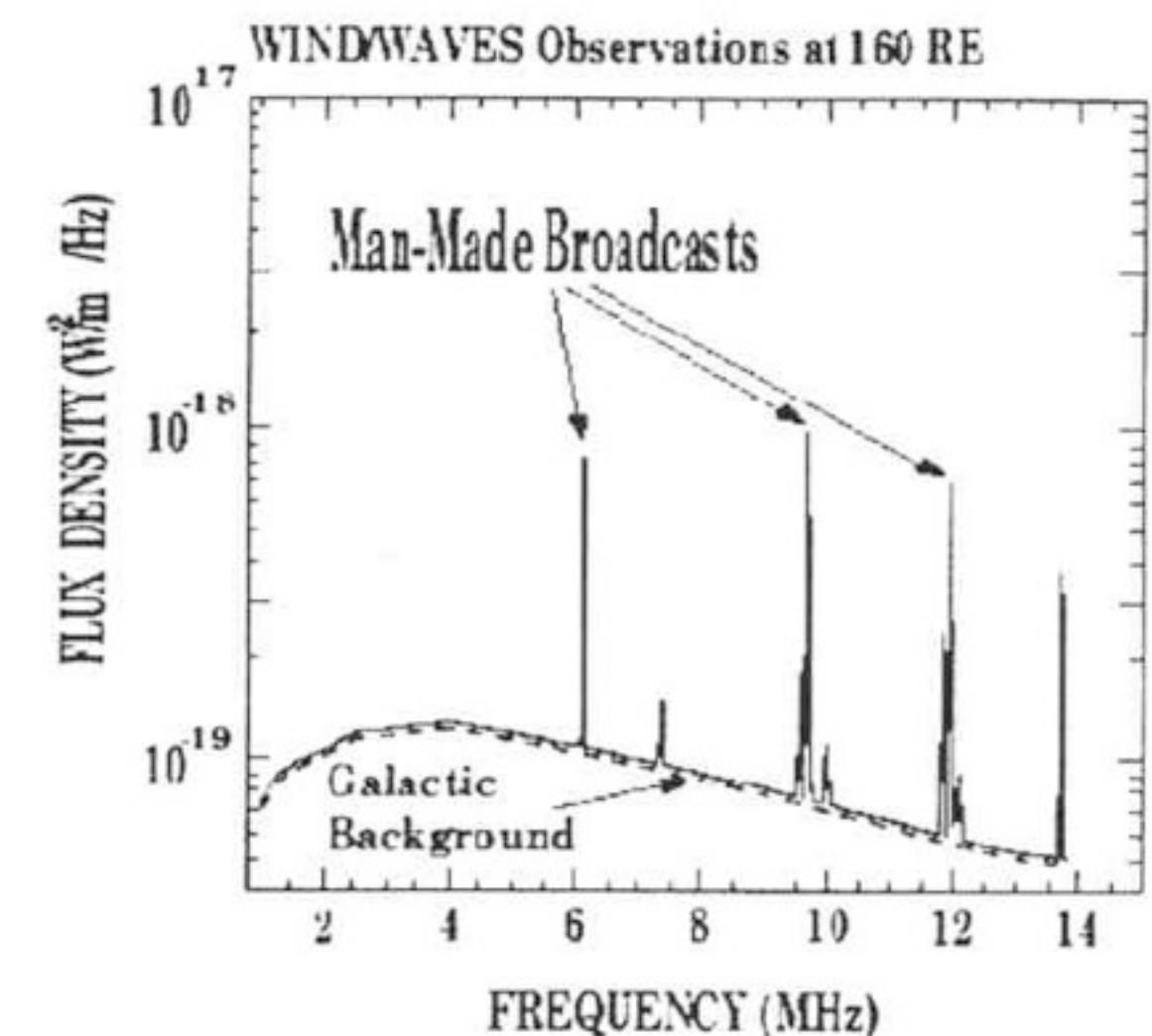
Interest of Radio observations

- At low frequencies, thermal spectrum in λ^{-2} (Rayleigh-Jeans)
- At very low frequencies, solar and planetary spectra \neq thermal
- « Plasma » processes → Contrast Sun/Jupiter ~1 !



Limitations of Radio observations

- Limited angular resolution (λ/D)
- Very bright galactic background ($T_b \sim 10^{3-5}$ K)
- RFI (natural & anthropic origin)
- Ionospheric cutoff ~ 10 MHz,
perturbations $\leq 30\text{-}50$ MHz,
scintillations IP/IS



Sensitivity of observations

- Galactic radio background: $T \sim 1.15 \times 10^8 / v^{2.5} \sim 10^{3-5} \text{ K}$ (10-100 MHz)

→ statistical fluctuations

$$\sigma = 2kT/A_e(b\tau)^{1/2}$$

→ $N = s / \sigma$ with $s = \zeta S_J / d^2$

$$S_J \sim 10^{-18} \text{ Wm}^{-2}\text{Hz}^{-1} \quad (10^8 \text{ Jy}) \quad \text{à } 1 \text{ UA}$$

- Maximum distance for $N\sigma$ detection of a source $\zeta \times Jupiter$:

$$d_{\max} = (\zeta S_J A / 2NkT)^{1/2} (b\tau)^{1/4}$$

$$\Rightarrow d_{\max} (\text{pc}) = 5 \times 10^{-8} (A_e \zeta)^{1/2} f^{5/4} (b\tau)^{1/4}$$

$\Rightarrow \zeta = 1$

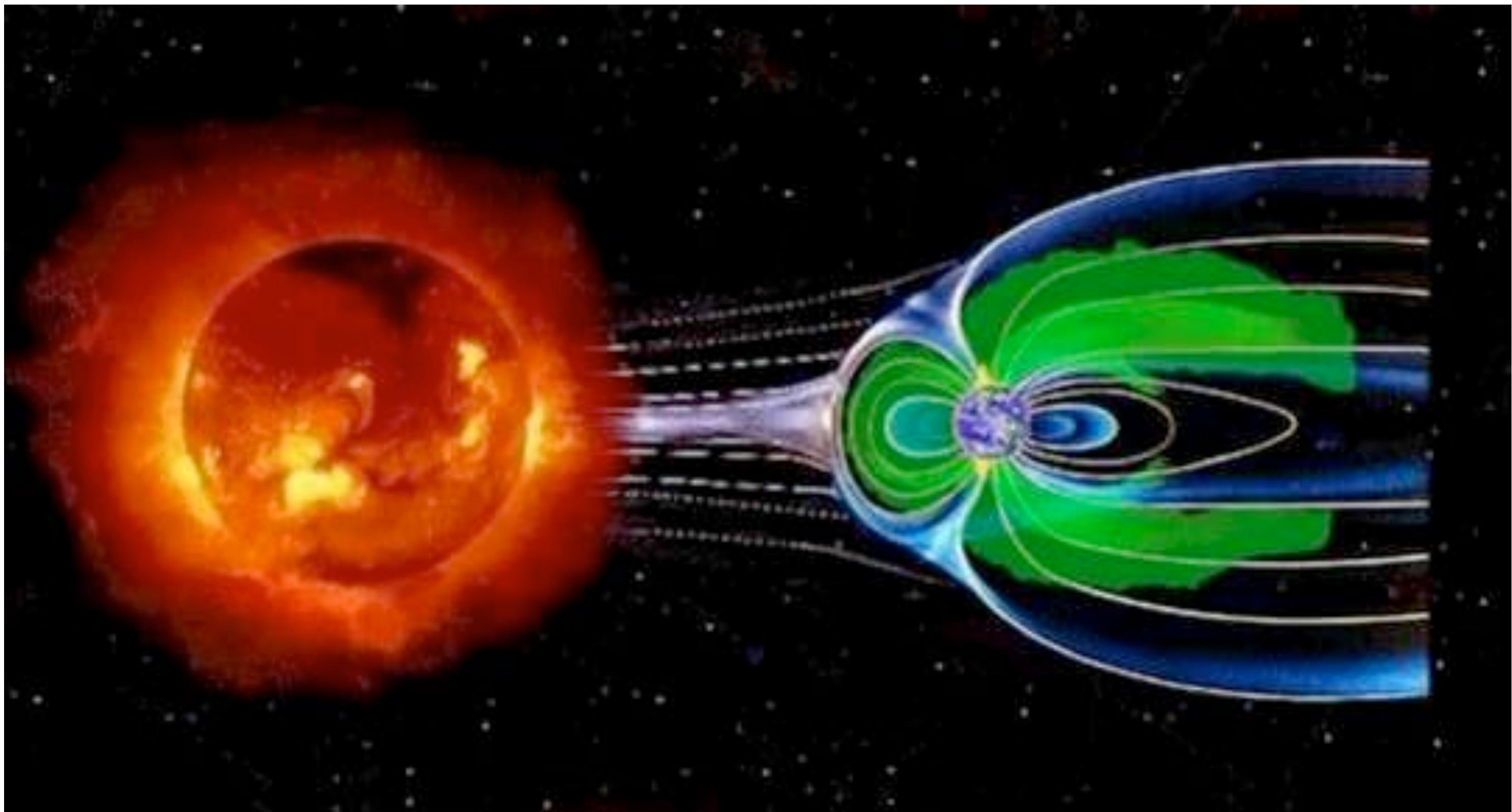
	$b\tau = 10^6$ (1 MHz, 1 sec)		$b\tau = 2 \times 10^8$ (3 MHz, 1 min)		$b\tau = 4 \times 10^{10}$ (10 MHz, 1 hour)	
	$f = 10$ MHz	$f = 100$ MHz	$f = 10$ MHz	$f = 100$ MHz	$f = 10$ MHz	$f = 100$ MHz
$A_e = 10^4 \text{ m}^2$ (~NDA)	0.003	0.05	0.01	0.2	0.04	0.7
$A_e = 10^5 \text{ m}^2$ (~UTR-2)	0.01	0.2	0.03	0.6	0.1	2.2
$A_e = 10^6 \text{ m}^2$ (~LOFAR77)	0.03	0.5	0.1	2.	0.4	7.

(distances in parsecs)

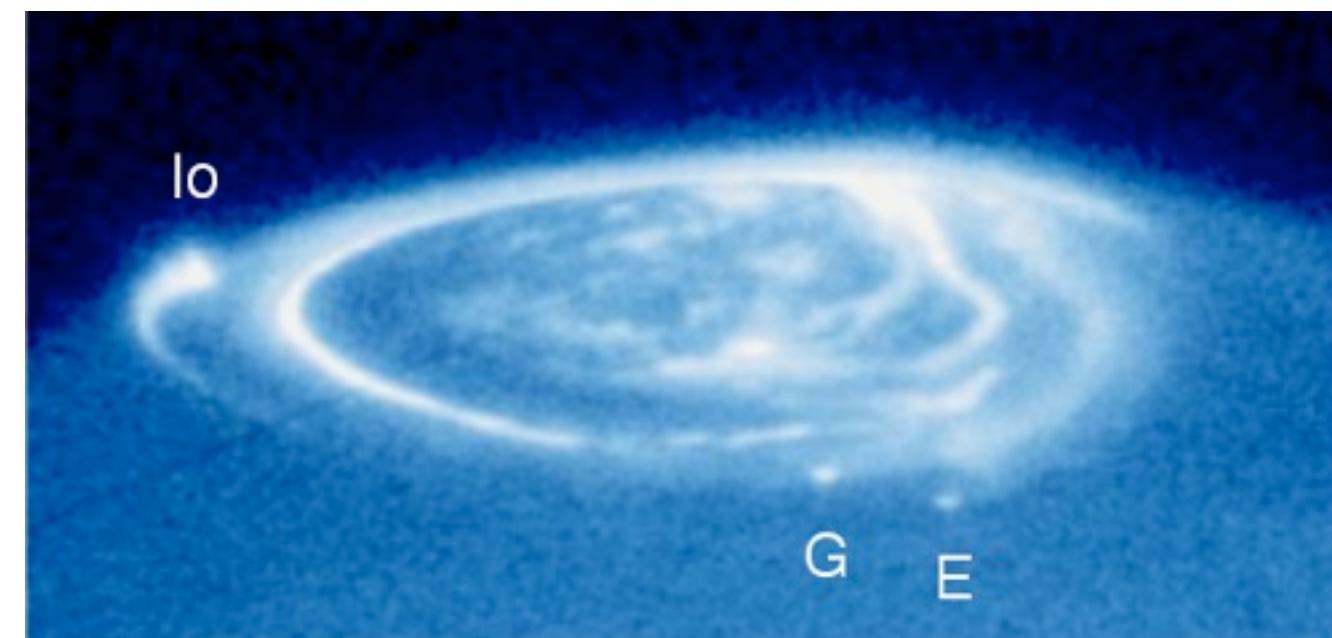
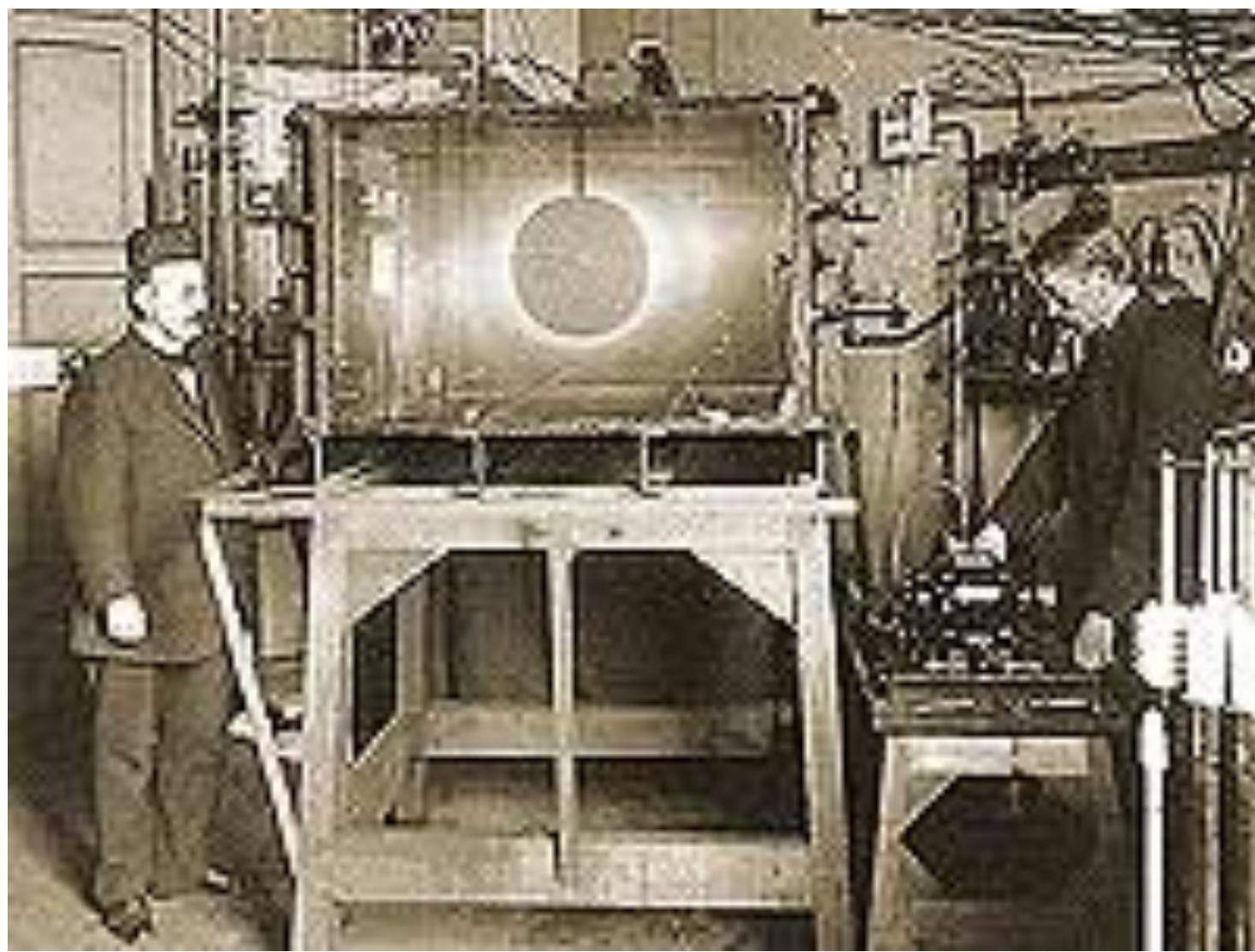
- Interest of LF radio observations of exoplanets
- Theoretical predictions
 - planetary radio emissions
 - energy sources
 - scaling laws
 - extrapolation to exoplanets
- Conclusion



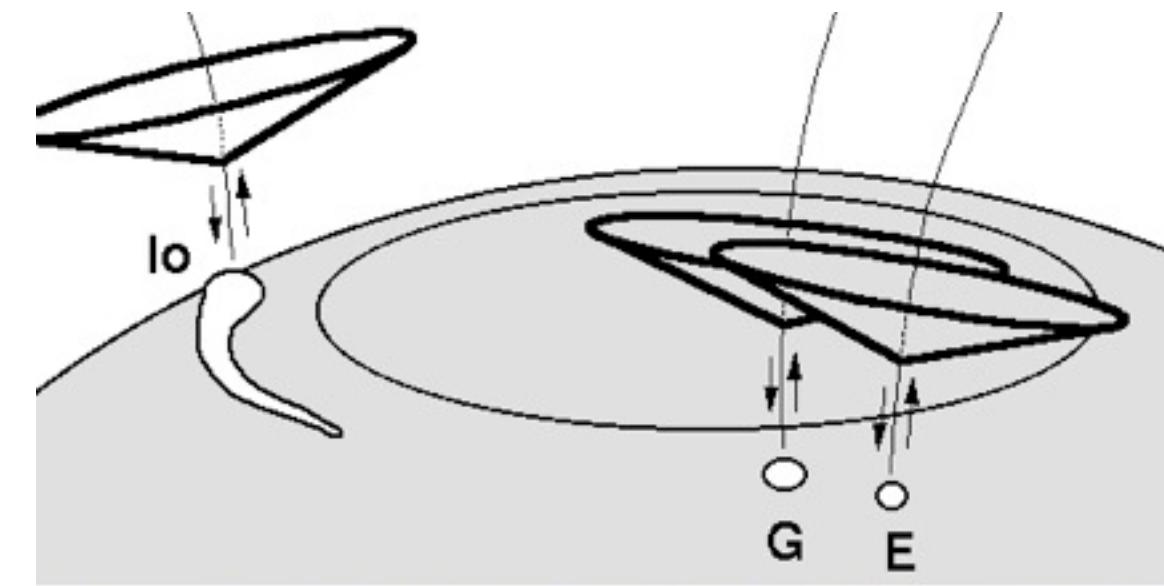
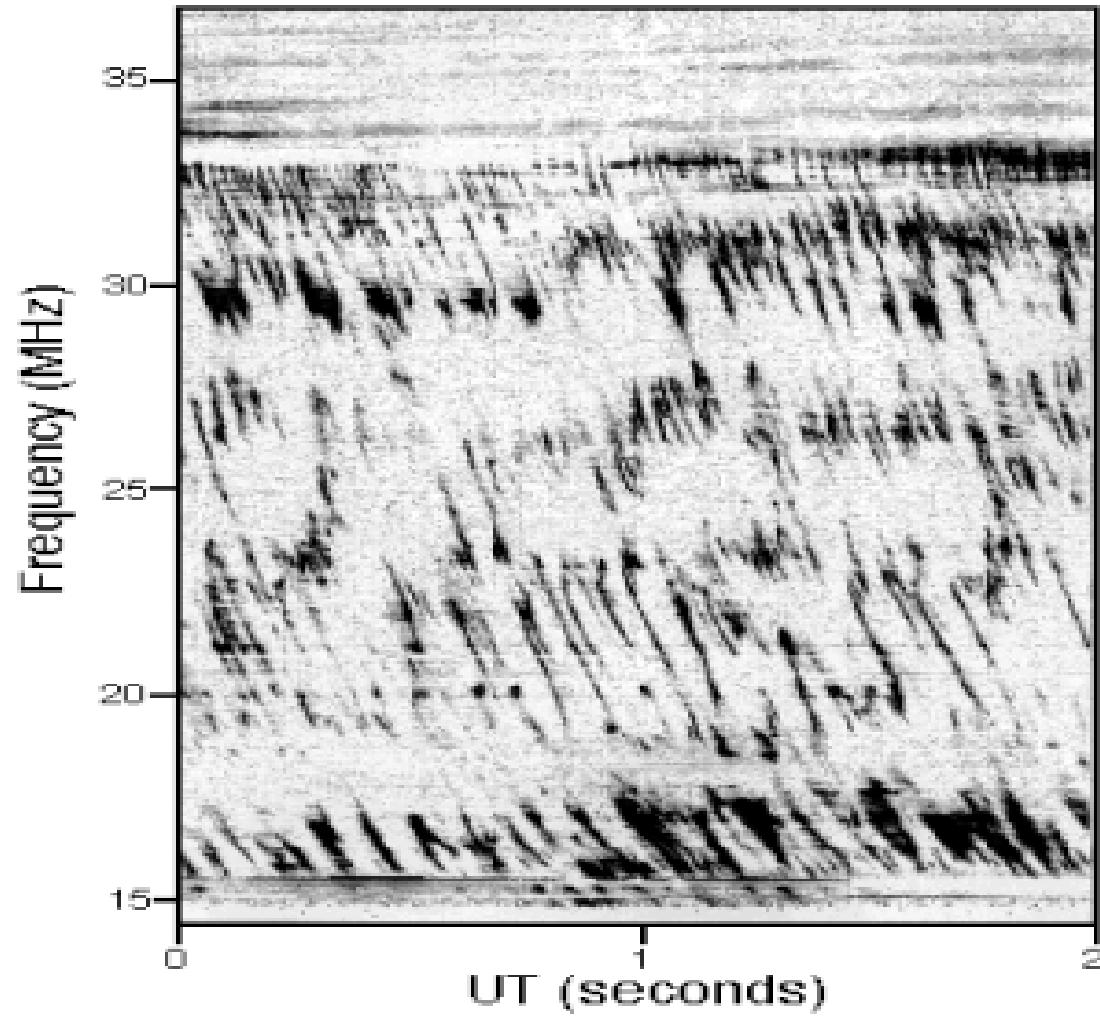
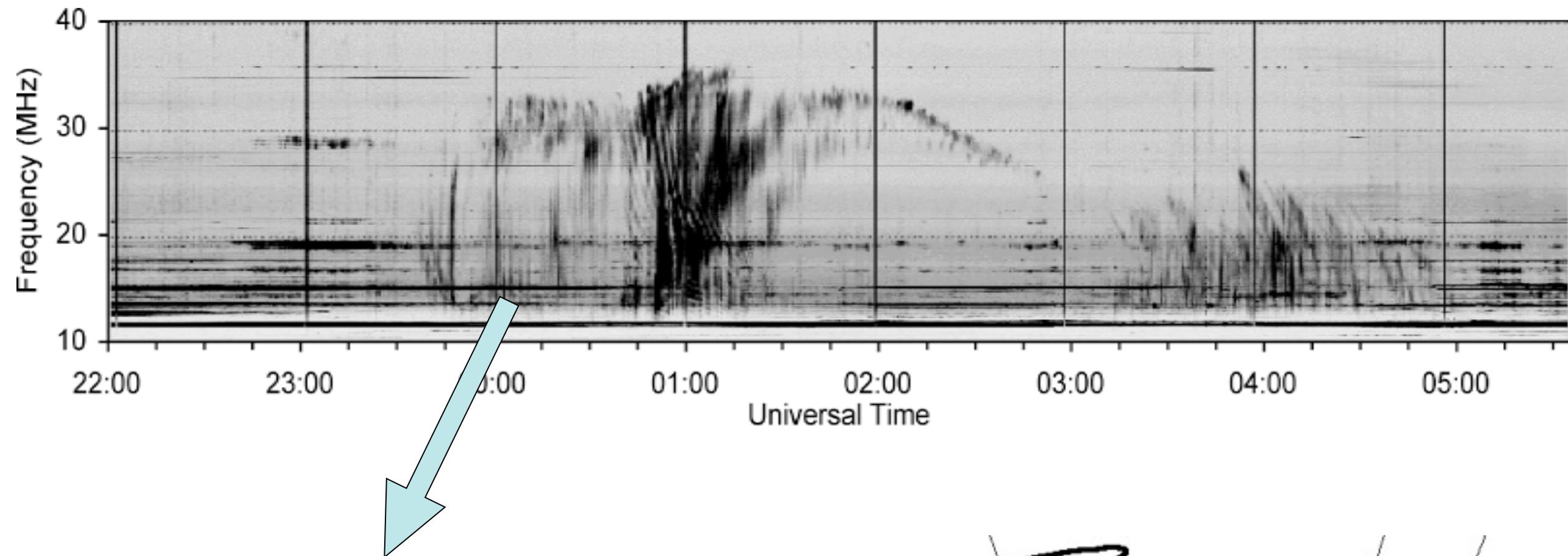
Solar Wind - Magnetosphere Interaction ...



Aurorae

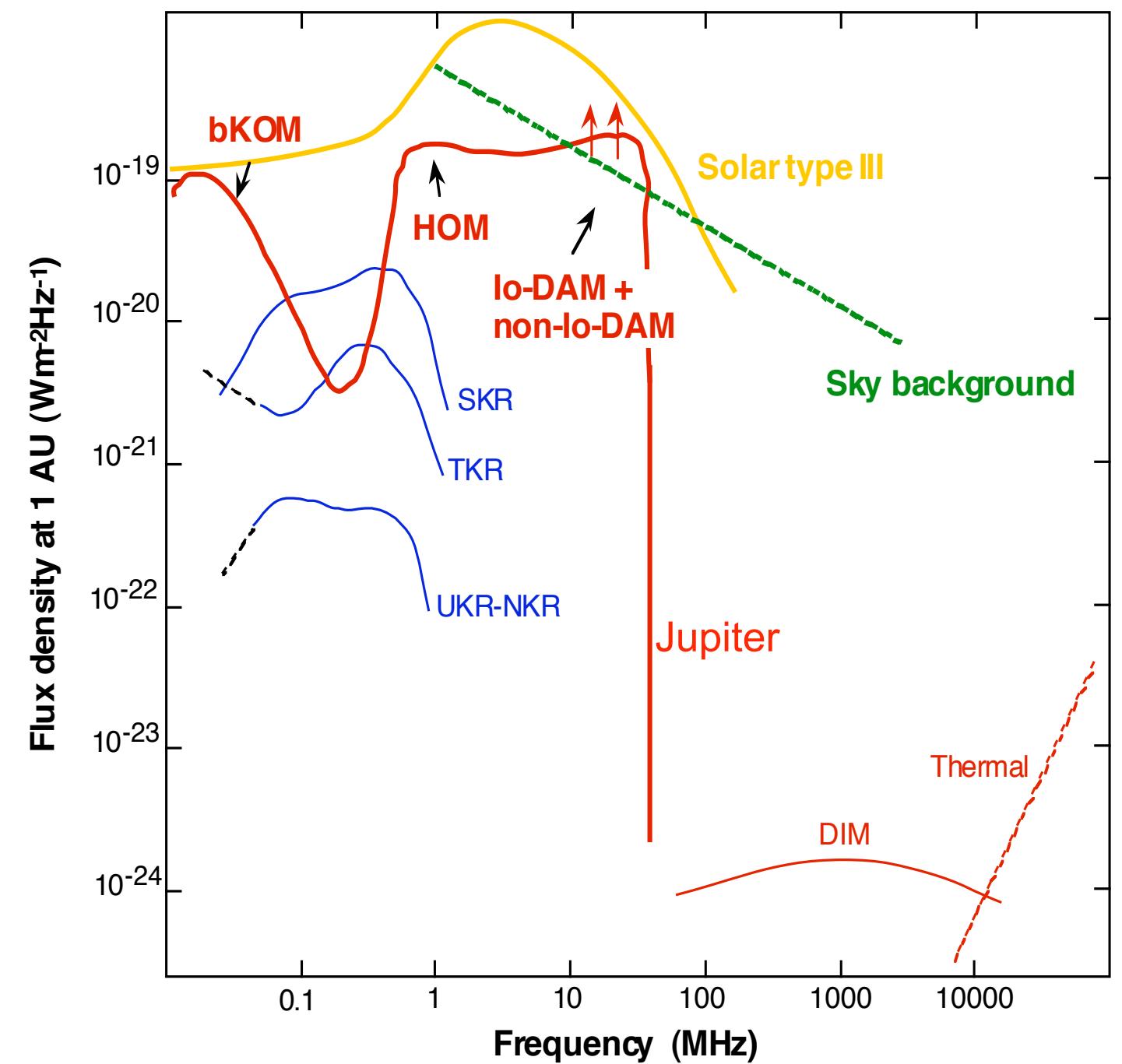


Radio emissions



Properties of radio emissions

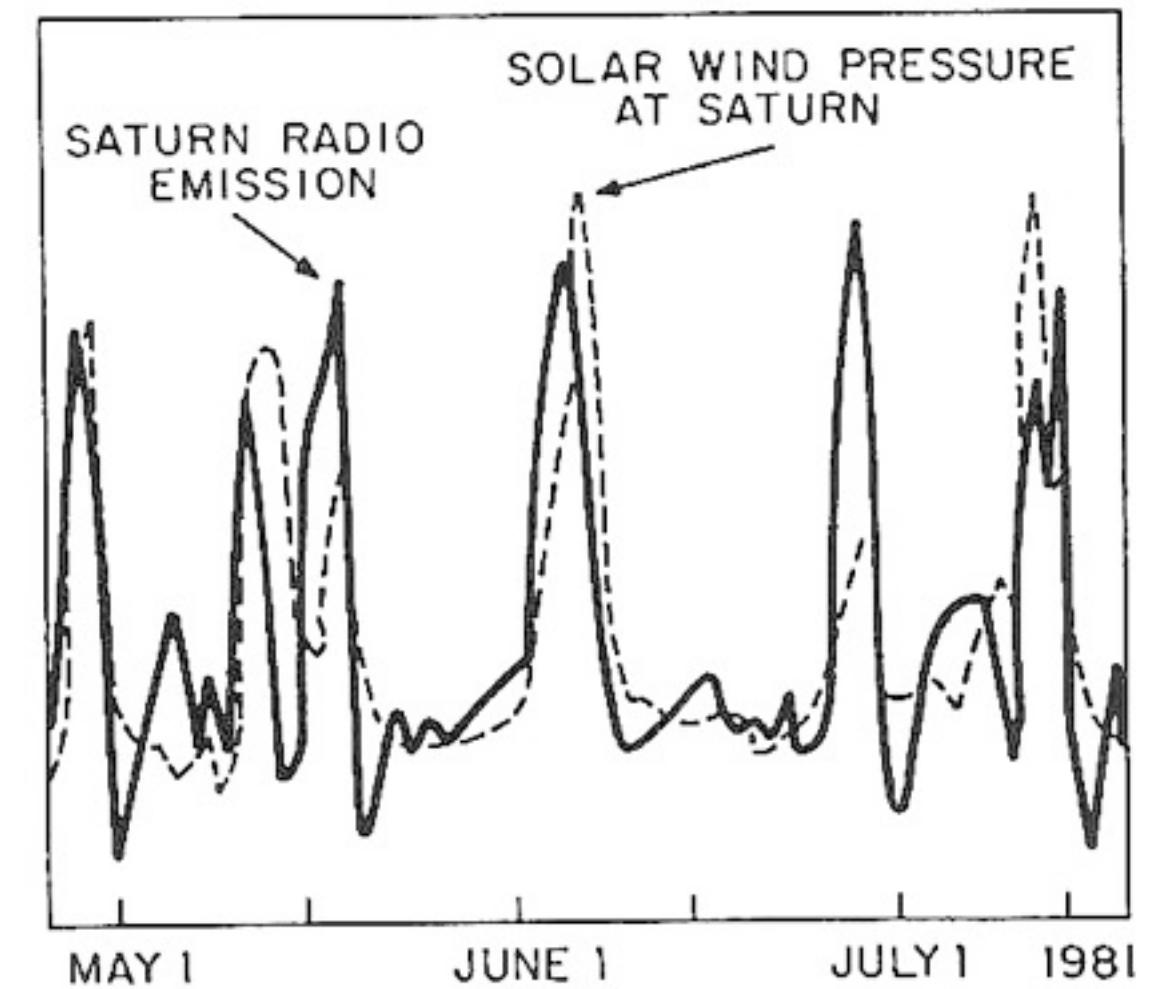
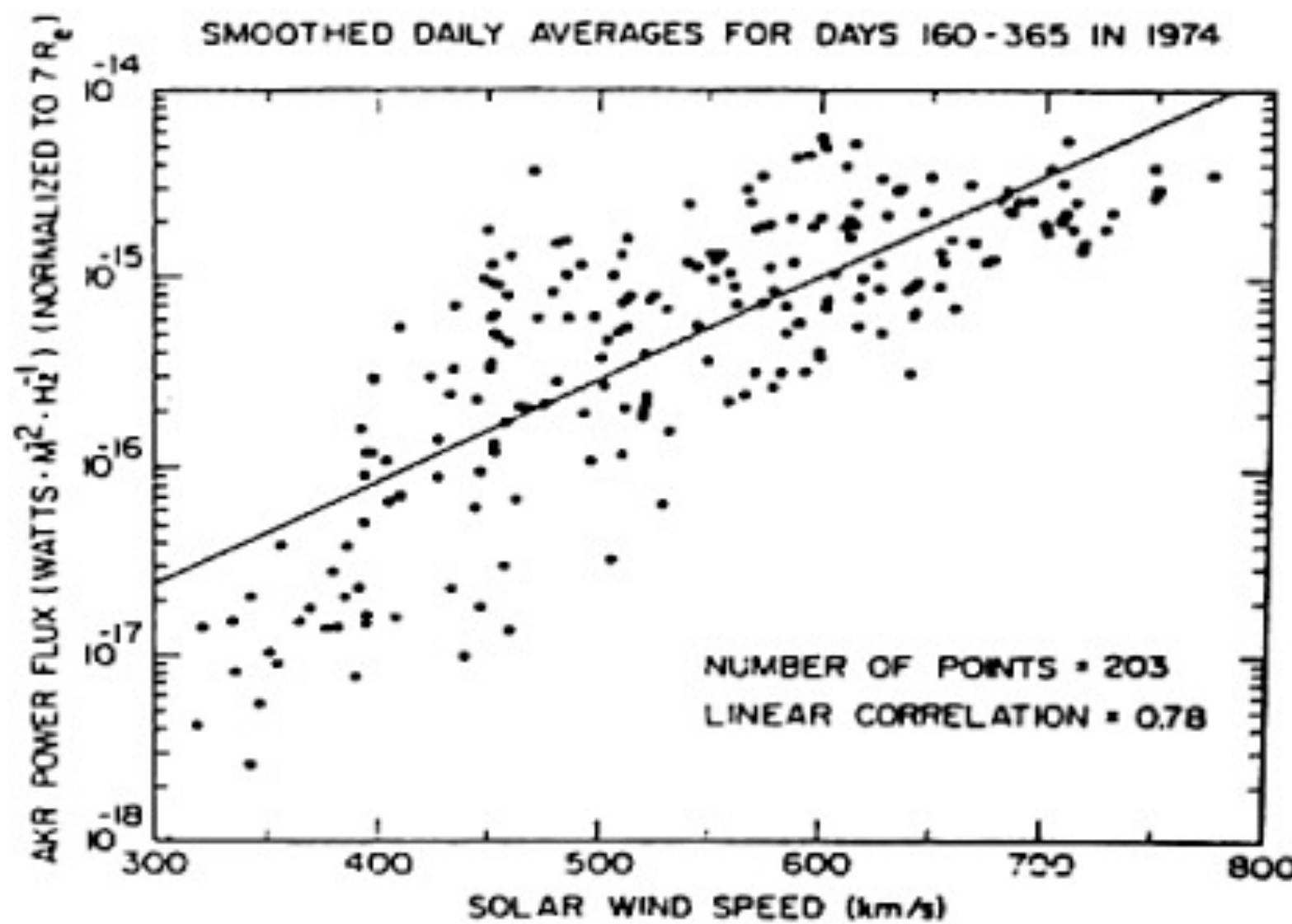
- $f \sim f_{ce}$, $\Delta f \sim f$
- $T_B > 10^{15}$ K
- circular/elliptical polarization (X mode)
- very anisotropic beaming (conical, $\Omega \ll 4\pi$ sr)
- variability / t (bursts, rotation, solar wind...)
- correlation radio / UV
- radiated power : 10^{6-11} W



Generation of radio emissions

- Coherent cyclotron emission : 2 conditions within sources :
 - low β magnetized plasma ($f_{pe} \ll f_{ce}$)
 - energetic electrons (keV) with non-Maxwellian distribution
- high magnetic latitudes
- direct emission at $f \sim f_x \approx f_{ce}$
- Acceleration of electrons :
 - interactions B/satellites $\rightarrow E_{\parallel\parallel}$
 - MS compressions
 - magnetic reconnections

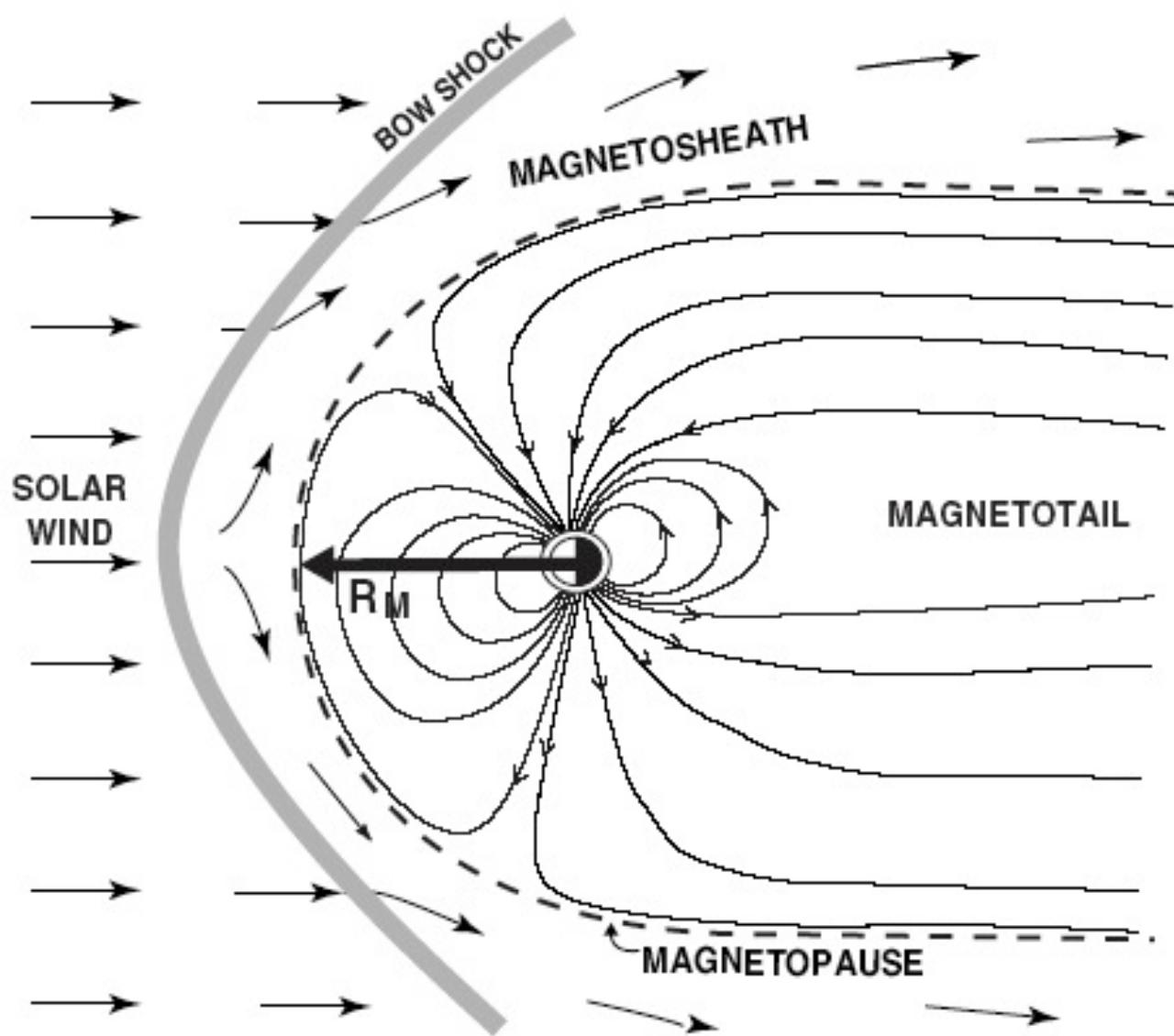
Strong correlation between Solar Wind (P, V...) and auroral radio emissions



- Interest of LF radio observations of exoplanets
- Theoretical predictions
 - planetary radio emissions
 - **energy sources**
 - scaling laws
 - extrapolation to exoplanets
- Conclusion



Solar Wind - Magnetosphere Interaction



Magnetopause radius R_{MP} from pressure equilibrium :

- Kinetic energy flux on MS cross-section : $P_C \sim NmV^2 V \pi R_{MP}^2$

$$N = N_0 / d^2 \quad N_0 = 5 \text{ cm}^{-3} \quad m \sim 1.1 \times m_p$$

- Poynting flux of B_{IMF} on MS cross-section : $P_B = \int_{MP} (E \times B / \mu_0) \cdot dS$

$$E = -V \times B \rightarrow E \times B = VB_{\perp}^2 \quad \rightarrow$$

$$P_B = B_{\perp}^2 / \mu_0 V \pi R_{MP}^2$$

Solar Wind expansion

$$V \sim C^{te}$$

$$N \sim d^{-2} \quad (\text{mass conservation})$$

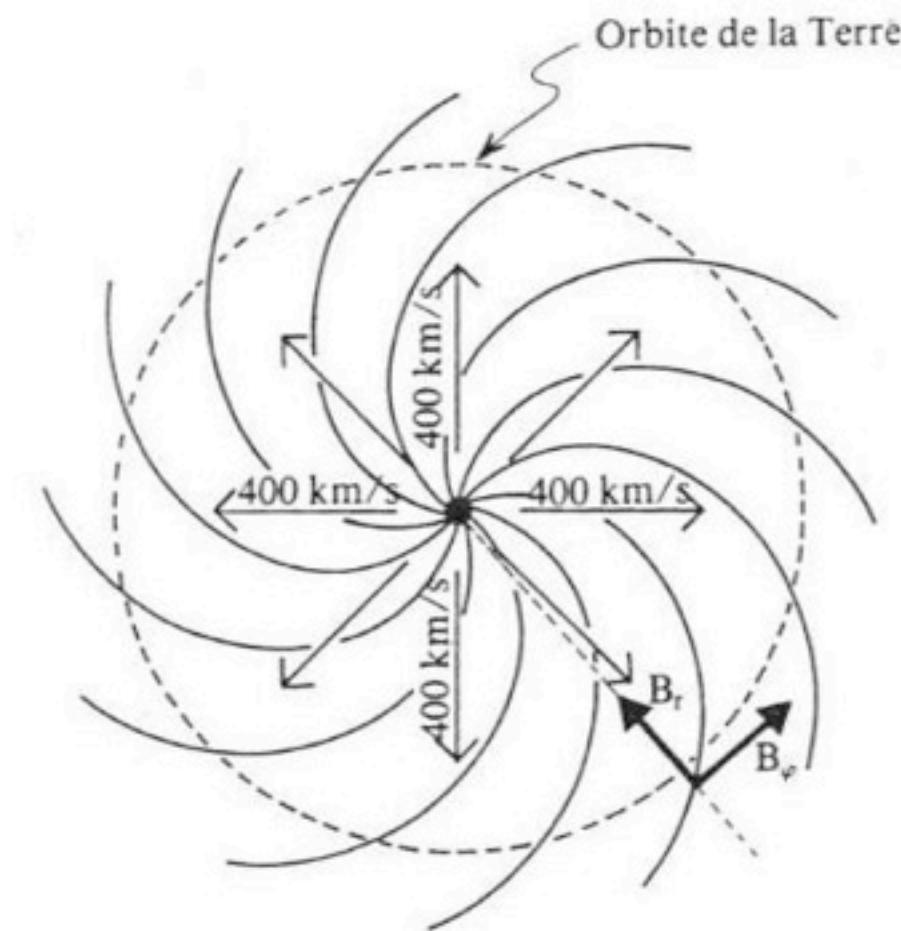
$$B_R \sim d^{-2} \quad (\text{magnetic flux conservation})$$

$$B_\varphi \sim d^{-1} \quad (B_R/B_\varphi = V/\Omega d) \rightarrow B \sim d^{-1}$$

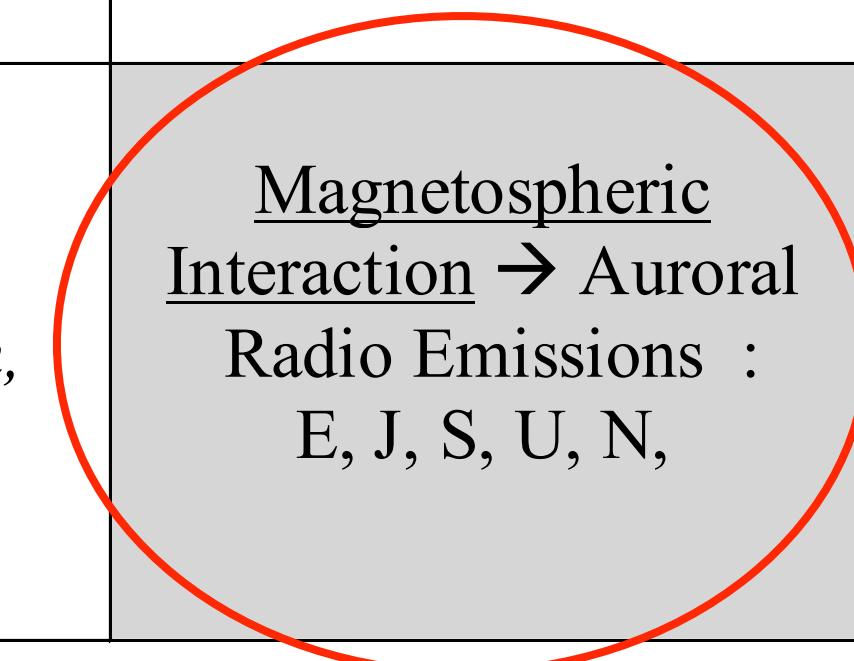
(beyond Jupiter orbit, $B \sim B_\varphi$)

→ B^2 varies as NV^2 thus P_c varies as P_B

→ $P_c / P_B \sim 170$ beyond 1 UA

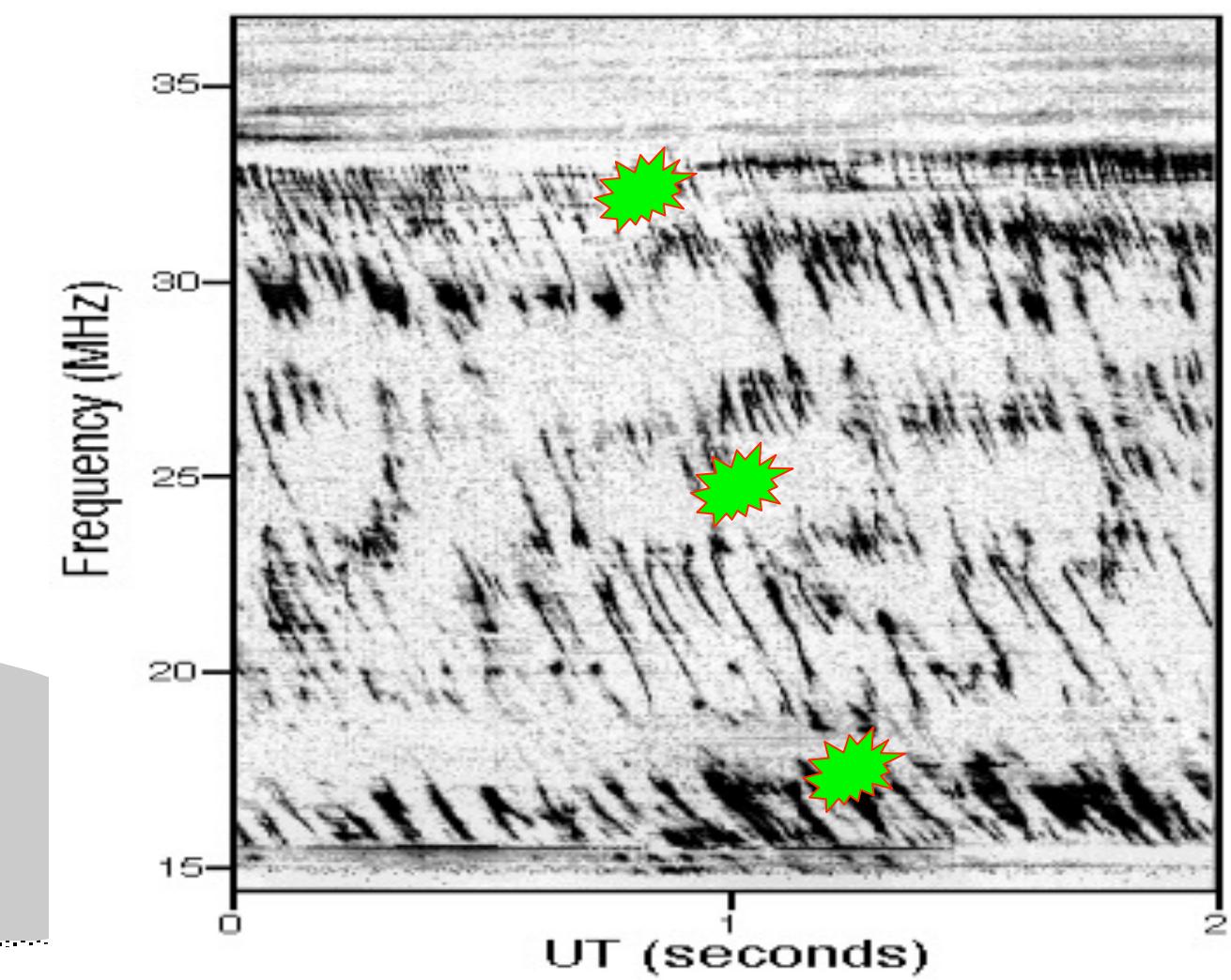
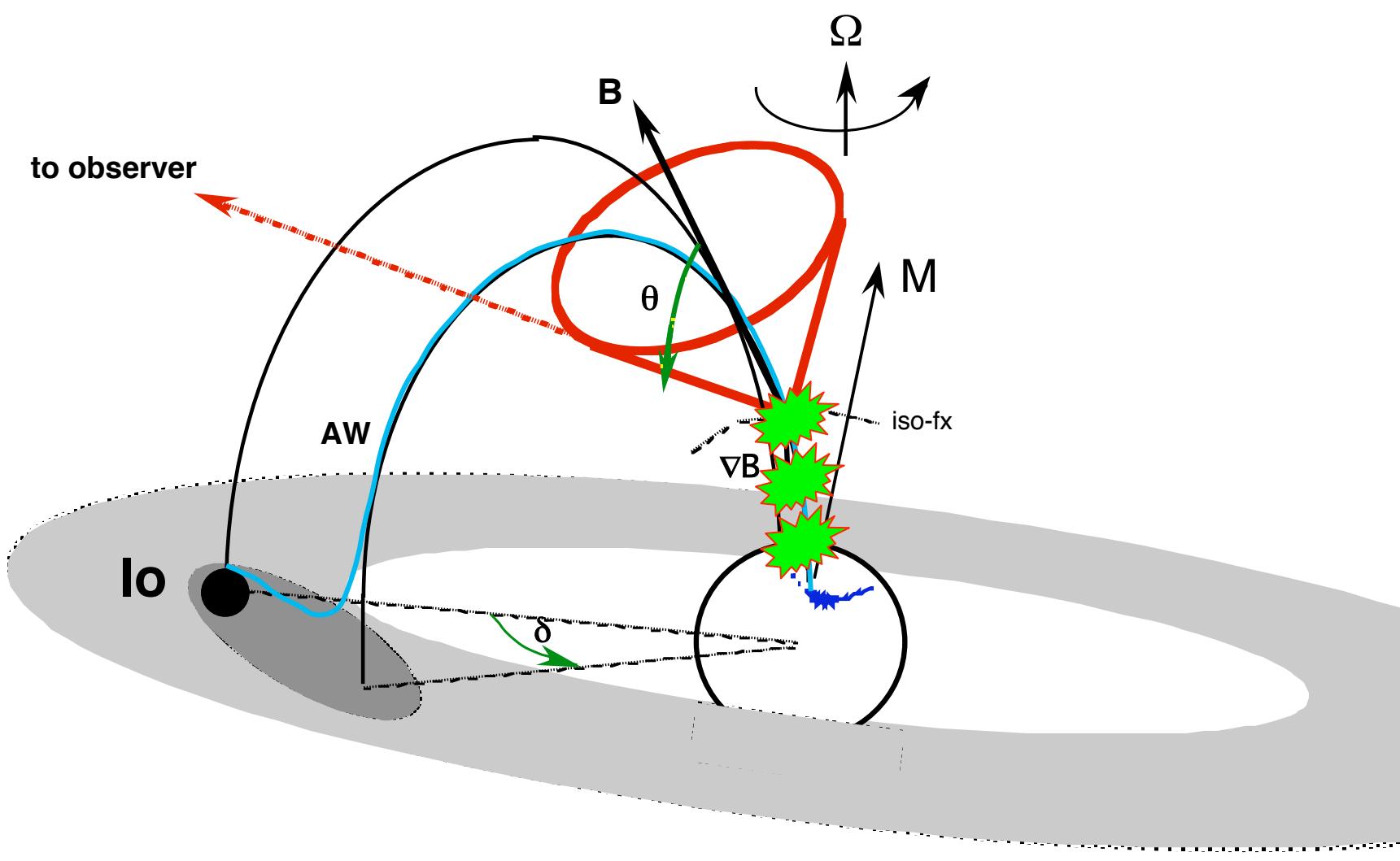
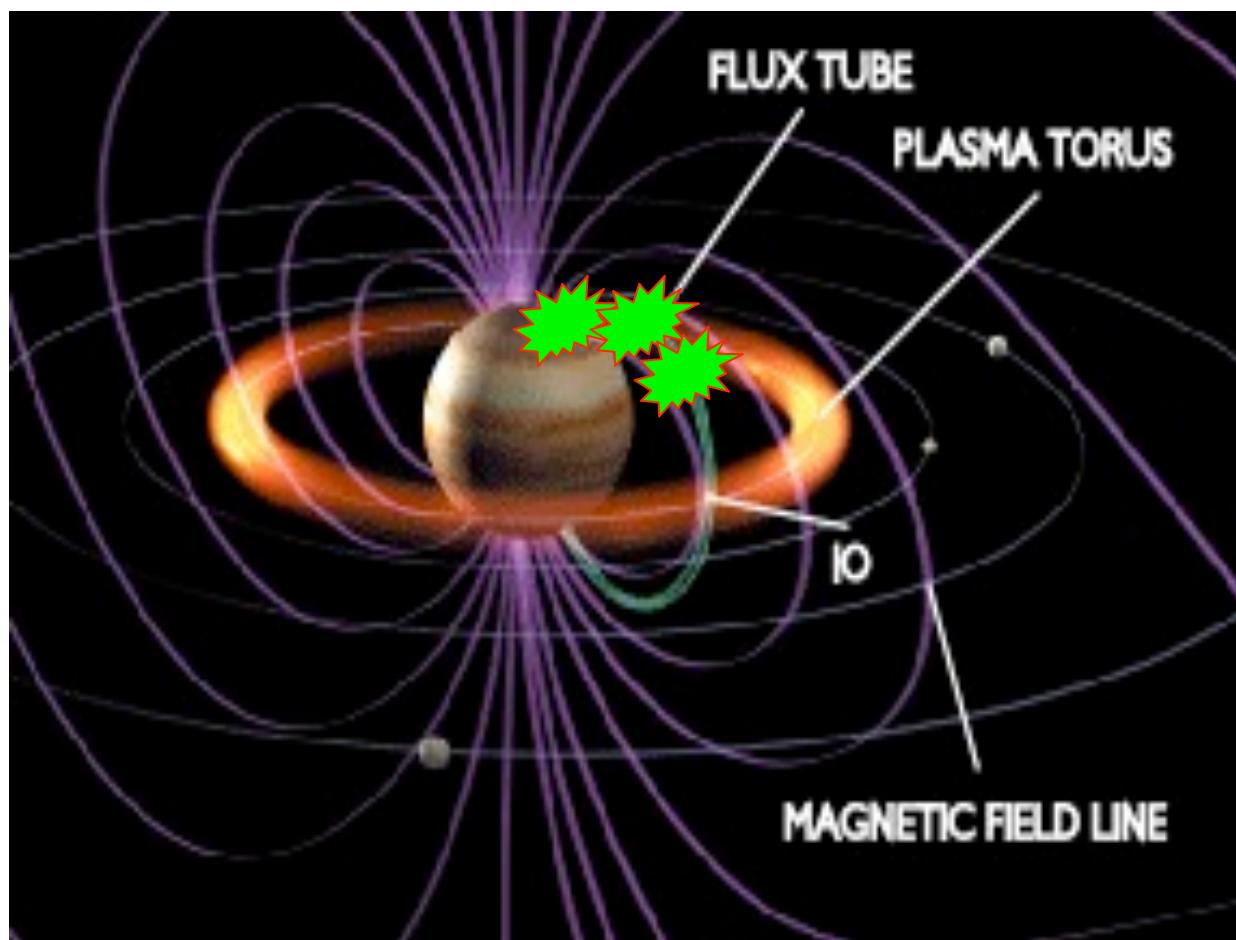


Flow	Weakly/Not magnetized <i>(Solar wind)</i>	Strongly magnetized <i>(Jovian magnetosphere)</i>
Obstacle	No Intense Cyclotron Radio Emission	<u>Unipolar interaction</u> → Io-induced Radio Emission,
Weakly/Not magnetized <i>(Venus, Mars, Io)</i>	<u>Magnetospheric Interaction</u> → Auroral Radio Emissions : E, J, S, U, N,	<u>Dipolar interaction</u> → Ganymede-induced Radio Emission
Strongly magnetized <i>(Earth, Jupiter, Saturn, Uranus, Neptune, Ganymede)</i>		



Magnetospheric Interaction → Auroral Radio Emissions :
E, J, S, U, N,

Satellite - $B_{Jupiter}$ interaction



Flow Obstacle	Weakly/Not magnetized <i>(Solar wind)</i>	Strongly magnetized <i>(Jovian magnetosphere)</i>
Weakly/Not magnetized <i>(Venus, Mars, Io)</i>	No Intense Cyclotron Radio Emission	<u>Unipolar interaction</u> → Io-induced Radio Emission,
Strongly magnetized <i>(Earth, Jupiter, Saturn, Uranus, Neptune, Ganymede)</i>	<u>Magnetospheric Interaction</u> → Auroral Radio Emissions : E, J, S, U, N,	<u>Dipolar interaction</u> → Ganymede-induced Radio Emission

Dipolar interaction

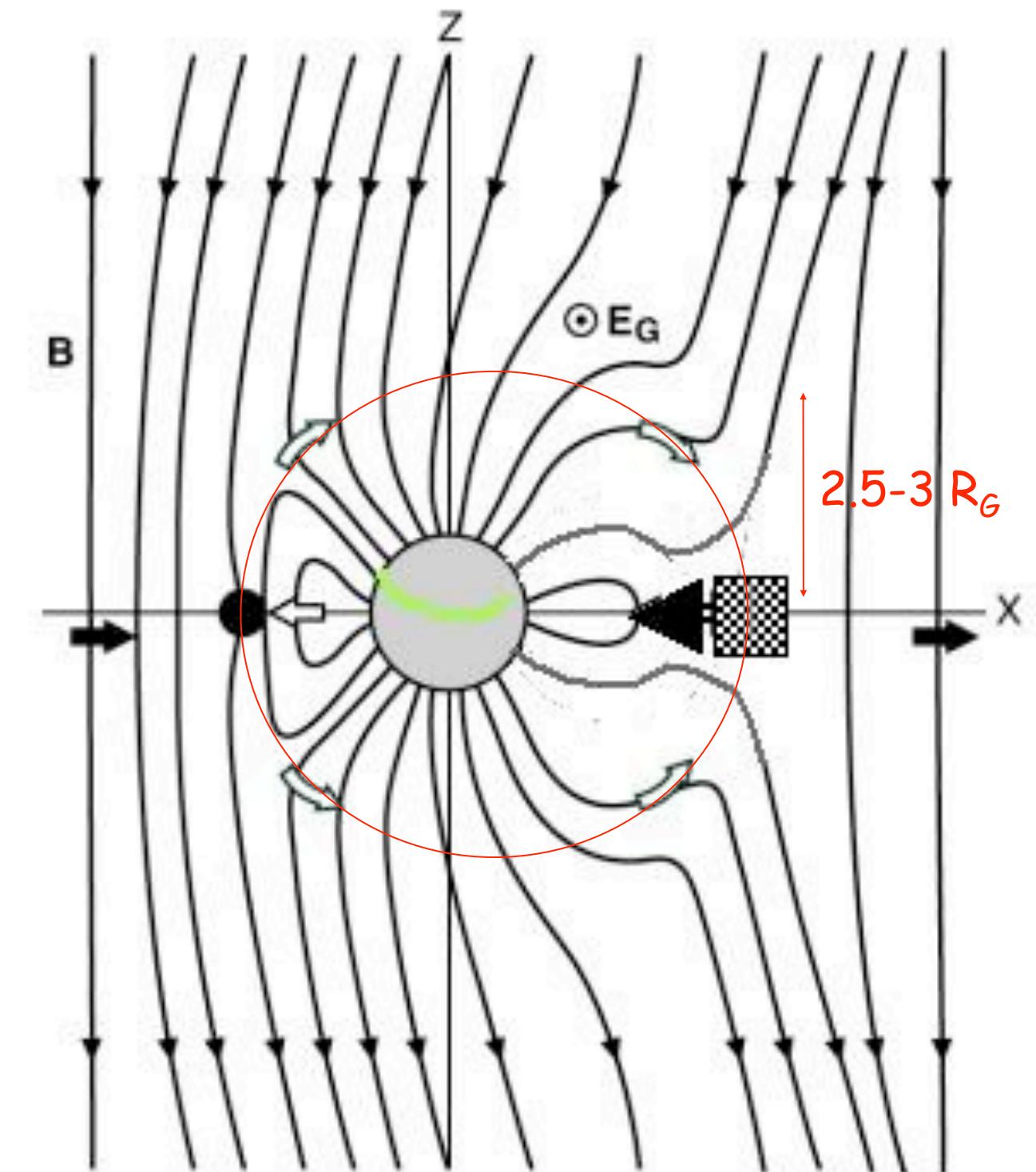
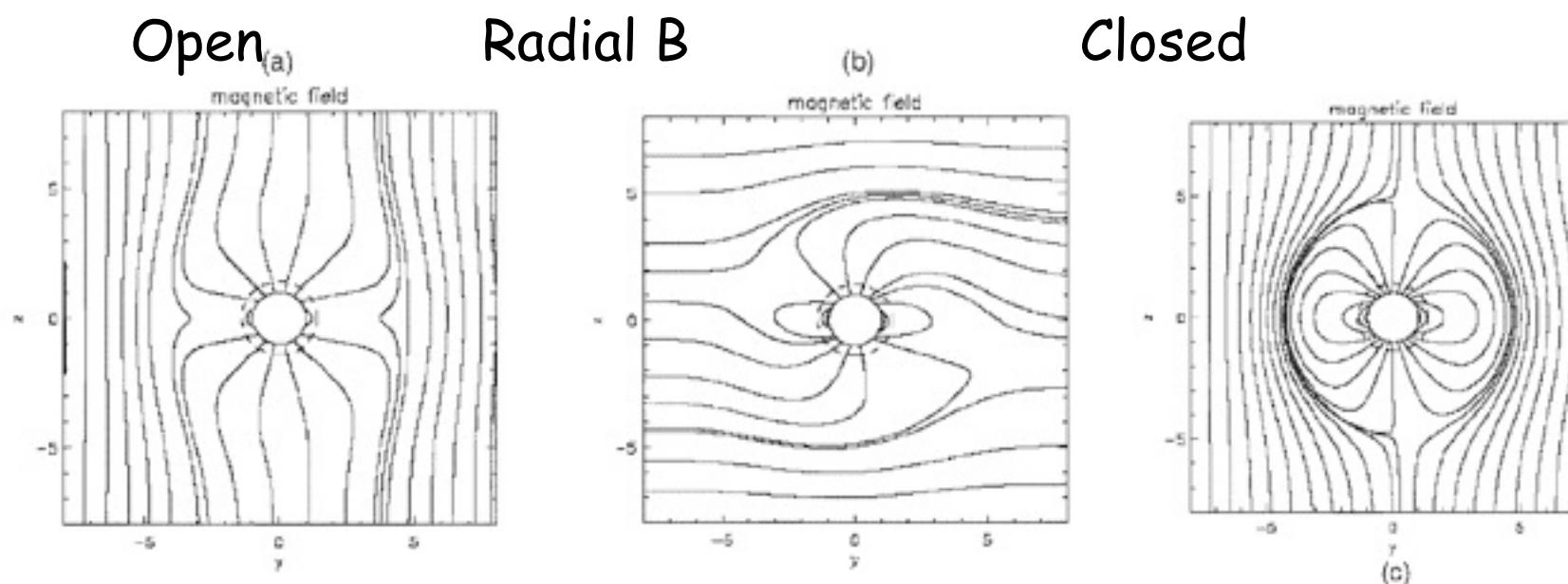
- Magnetic reconnection
(e.g. Ganymede-Jupiter)

$$P_d = \varepsilon K V B_{\perp}^2 / \mu_0 \pi R_{MP}^2$$

Efficiency $\varepsilon \sim 0.1-0.2$

$K = \sin^4(\theta/2)$ ou $\cos^4(\theta/2)$ 0 or 1

$$\rightarrow P_d = \varepsilon P_B$$



- Torus Plasma Flow
 - Ganymede's Magnetospheric Flow
 - Upstream Reconnection Line
 - Downstream Reconnection Line
- open-closed boundary**

Flow Obstacle	Weakly/Not magnetized <i>(Solar wind)</i>	Strongly magnetized <i>(Jovian magnetosphere)</i>
Weakly/Not magnetized <i>(Venus, Mars, Io)</i>	No Intense Cyclotron Radio Emission	<u>Unipolar interaction</u> → Io-induced Radio Emission,
Strongly magnetized <i>(Earth, Jupiter, Saturn, Uranus, Neptune, Ganymede)</i>	<u>Magnetospheric Interaction</u> → Auroral Radio Emissions : E, J, S, U, N,	<u>Dipolar interaction</u> → Ganymede-induced Radio Emission

Unipolar interaction

- Interaction via Alfvén waves & currents

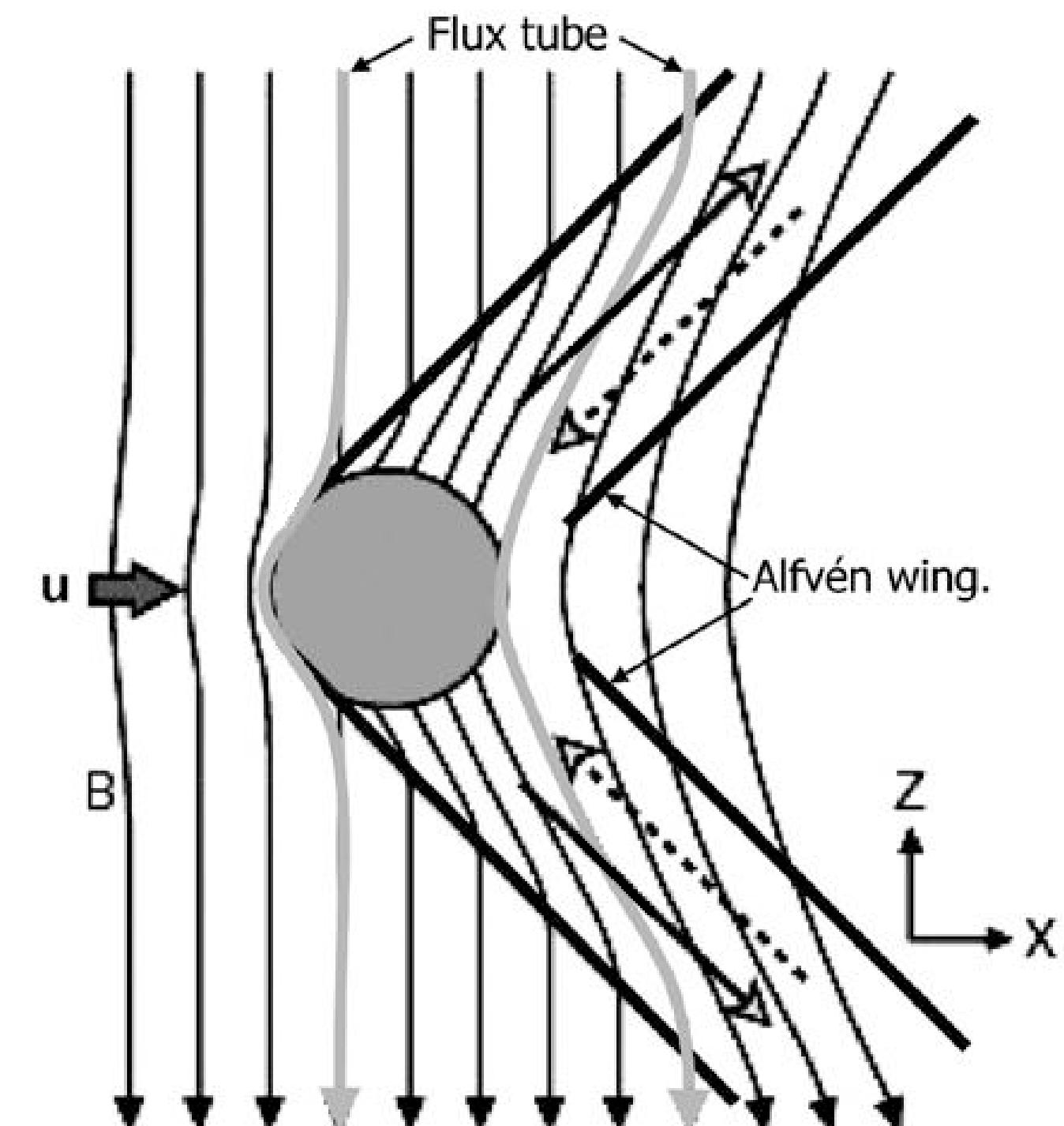
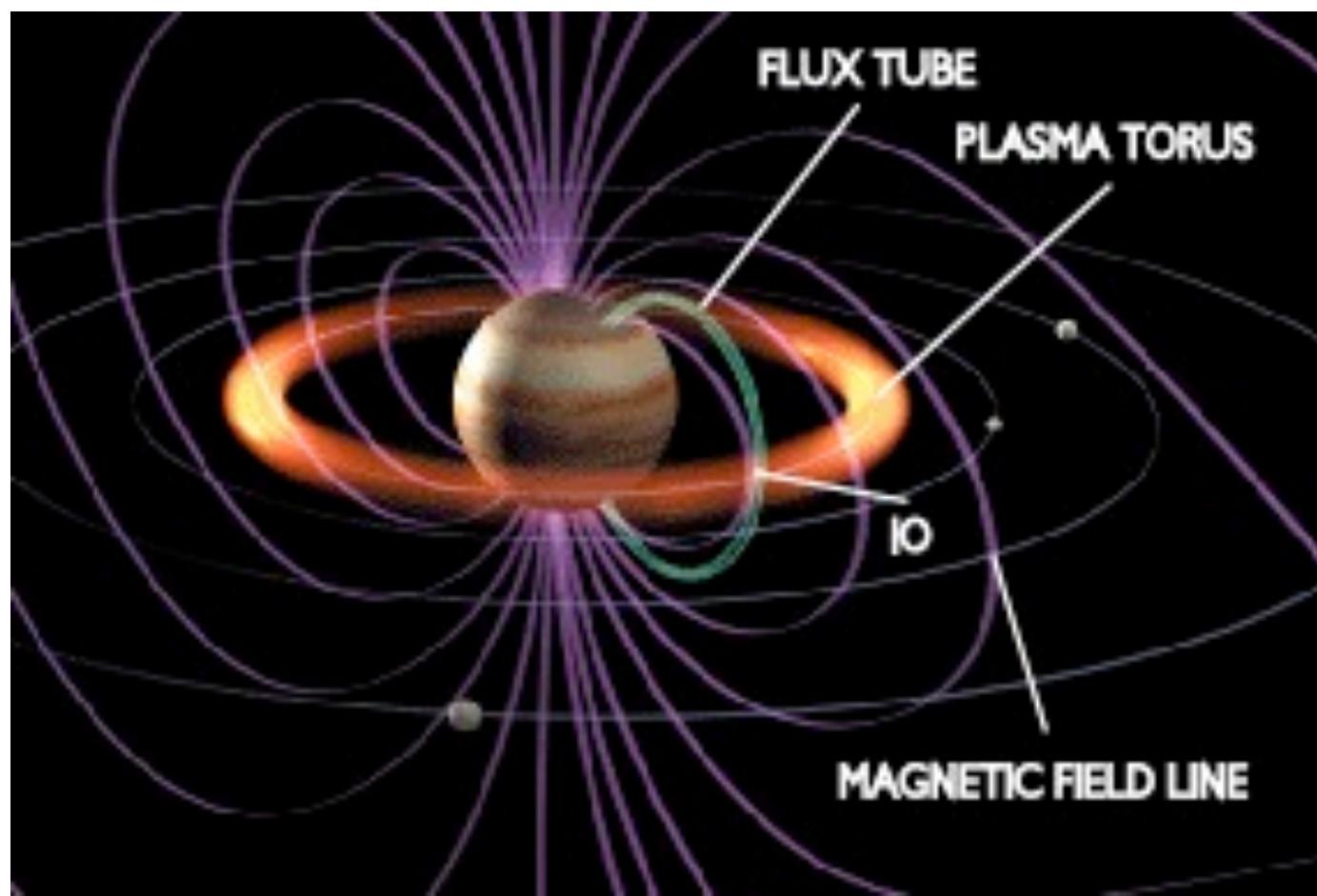
(e.g. Io-Jupiter) $\phi = E \times 2R_{\text{obs}} = V \times B_{\perp} \times 2R_{\text{obs}}$

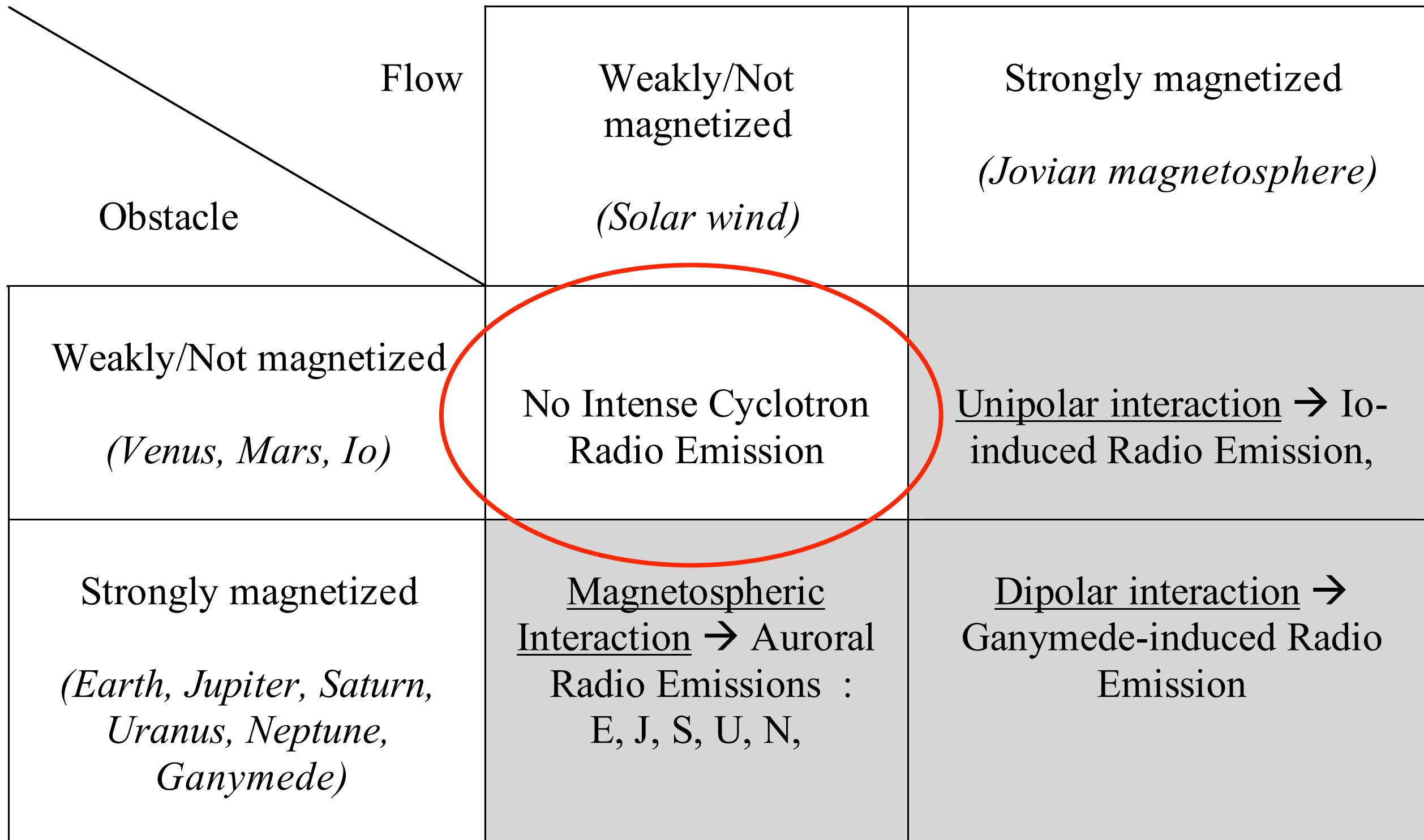
$$P_d = \epsilon' V B_{\perp}^2 / \mu_0 \pi R_{\text{obs}}^2$$

$$\epsilon' = (1 + M_A^{-2})^{-1/2}$$

$$M_A \leq \epsilon' \leq 1$$

$$\rightarrow P_d = \epsilon' P_B$$





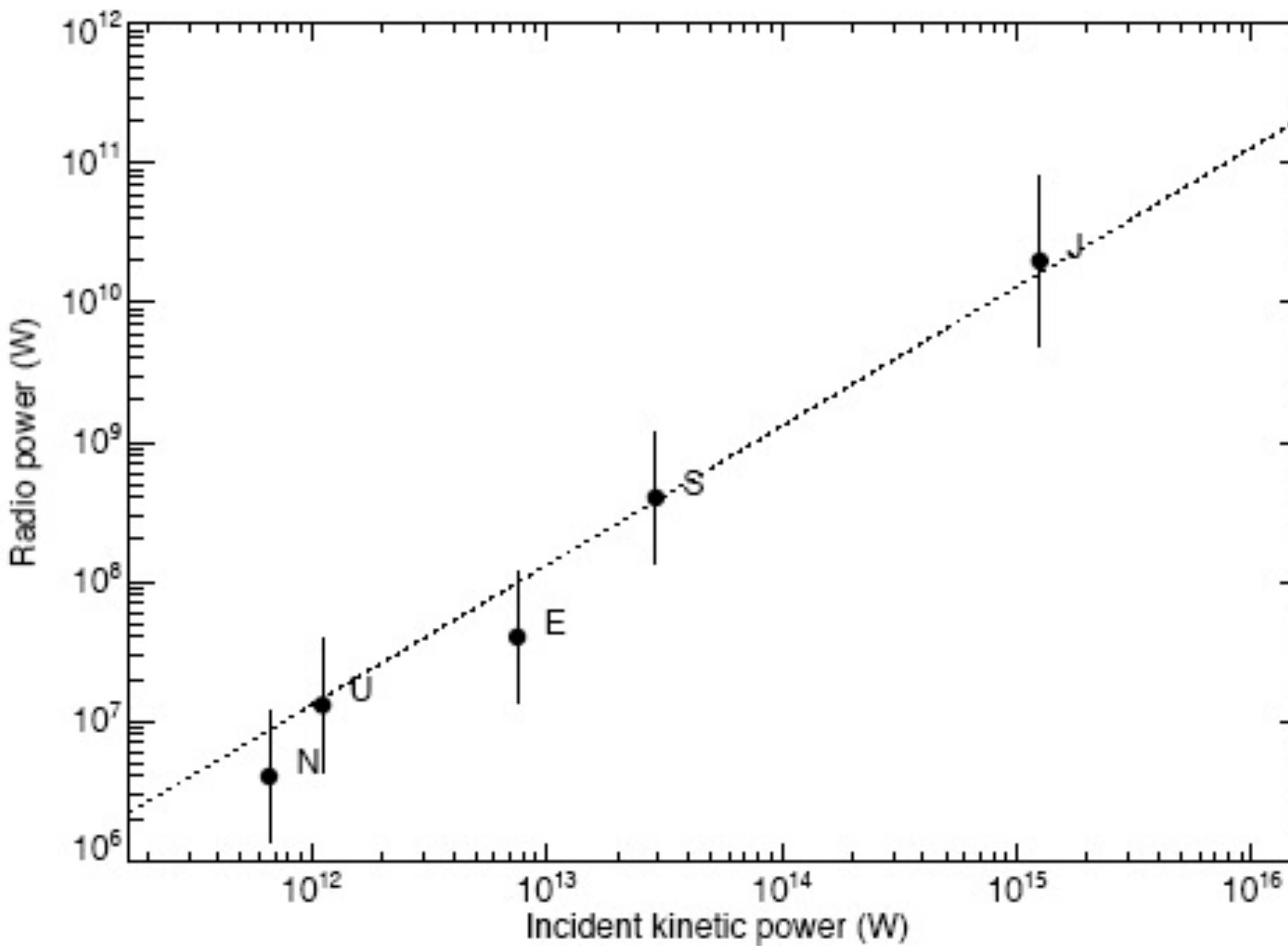
- Interest of LF radio observations of exoplanets



- Theoretical predictions
 - planetary radio emissions
 - energy sources
 - scaling laws
 - extrapolation to exoplanets
- Conclusion

« Radio-kinetic Bode's law » (auroral emissions)

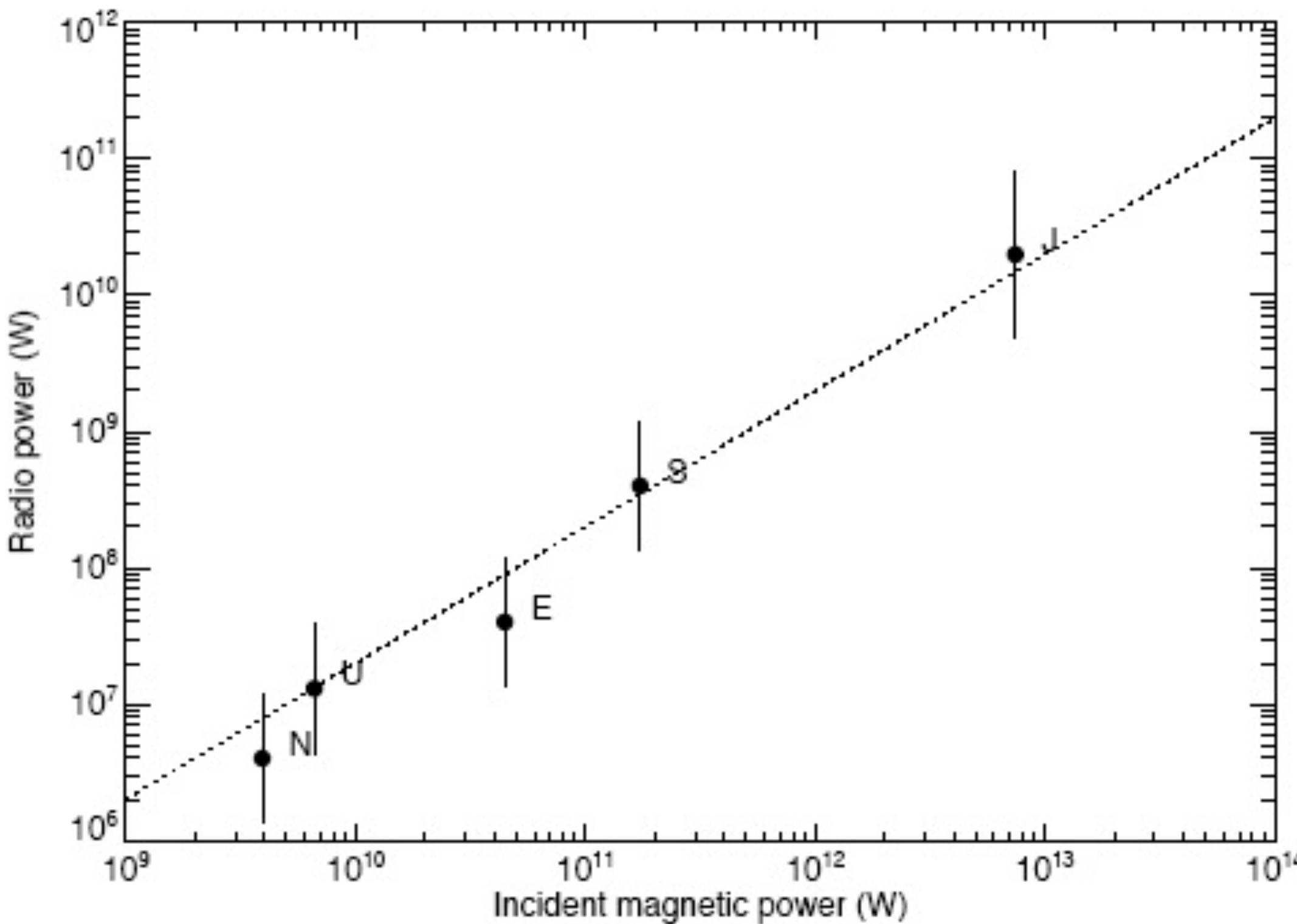
$$P_{\text{Radio}} \sim \eta_1 \times P_C \text{ with } \eta_1 \sim 10^{-5}$$



[Desch and Kaiser, 1984 ; Zarka, 1992]

« Radio-magnetic Bode's law » (auroral emissions)

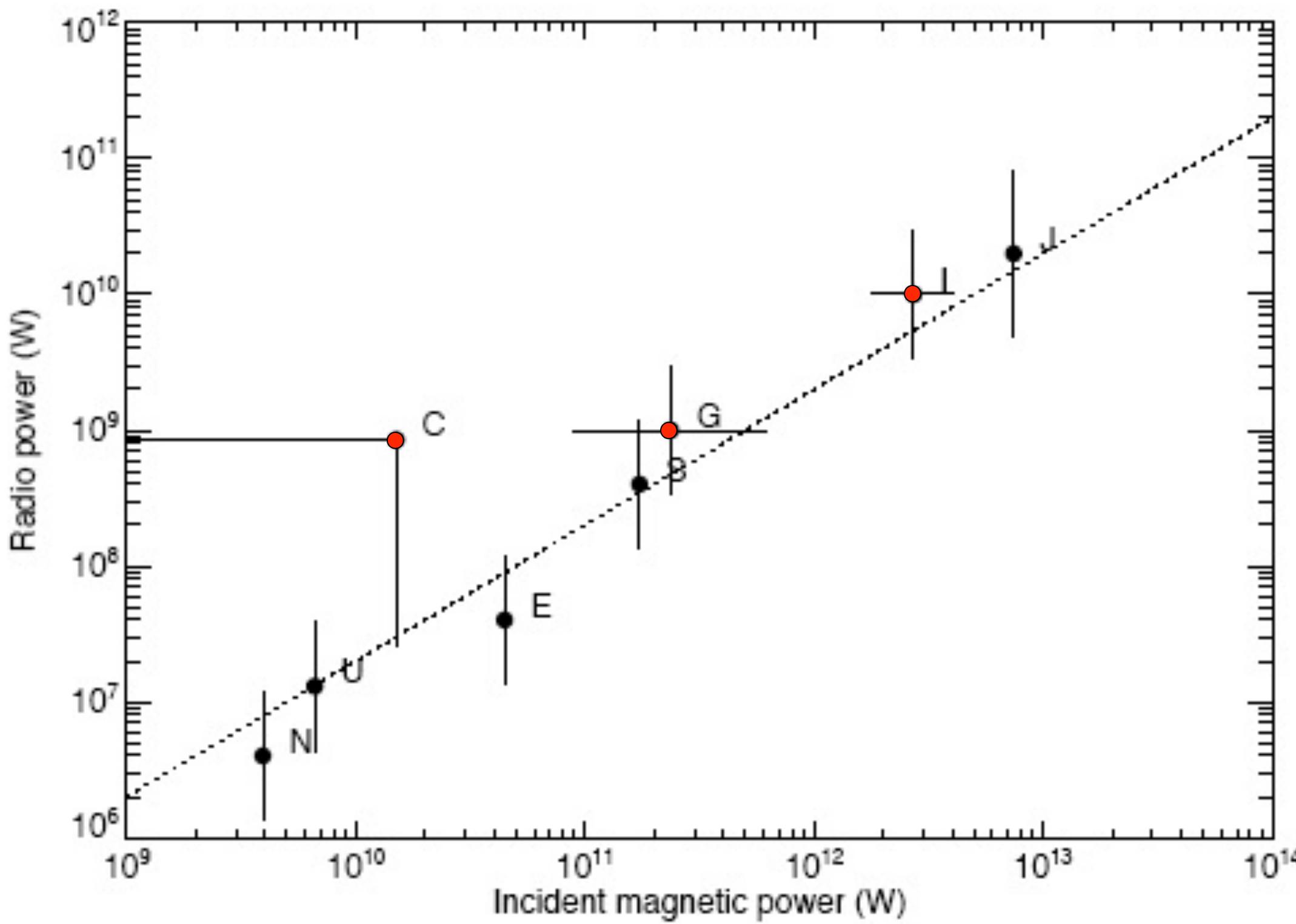
$$P_{\text{Radio}} \sim \eta_2 \times P_B \text{ with } \eta_2 \sim 2 \times 10^{-3}$$



[Zarka et al., 2001]

« Generalized radio-magnetic Bode's law » (all emissions)

$$P_{\text{Radio}} \sim \eta \times P_B \text{ with } \eta \sim 2-10 \times 10^{-3}$$



[Zarka et al., 2001, 2005]

- Interest of LF radio observations of exoplanets
- Theoretical predictions
 - planetary radio emissions
 - energy sources
 - scaling laws
 - extrapolation to exoplanets
- Conclusion



Planet & Star data

~250 exoplanets (in ~200 systems) 16% with $a \leq 0.05$ UA ($10 R_s$)

24% with $a \leq 0.1$ UA

→ ~40 « hot Jupiters » with periastron @ $\sim 5\text{-}10 R_s$

Magnetic field at Solar surface :

→ large-scale $\sim 1 G$ ($10^{-4} T$)

→ magnetic loops $\sim 10^3 G$,

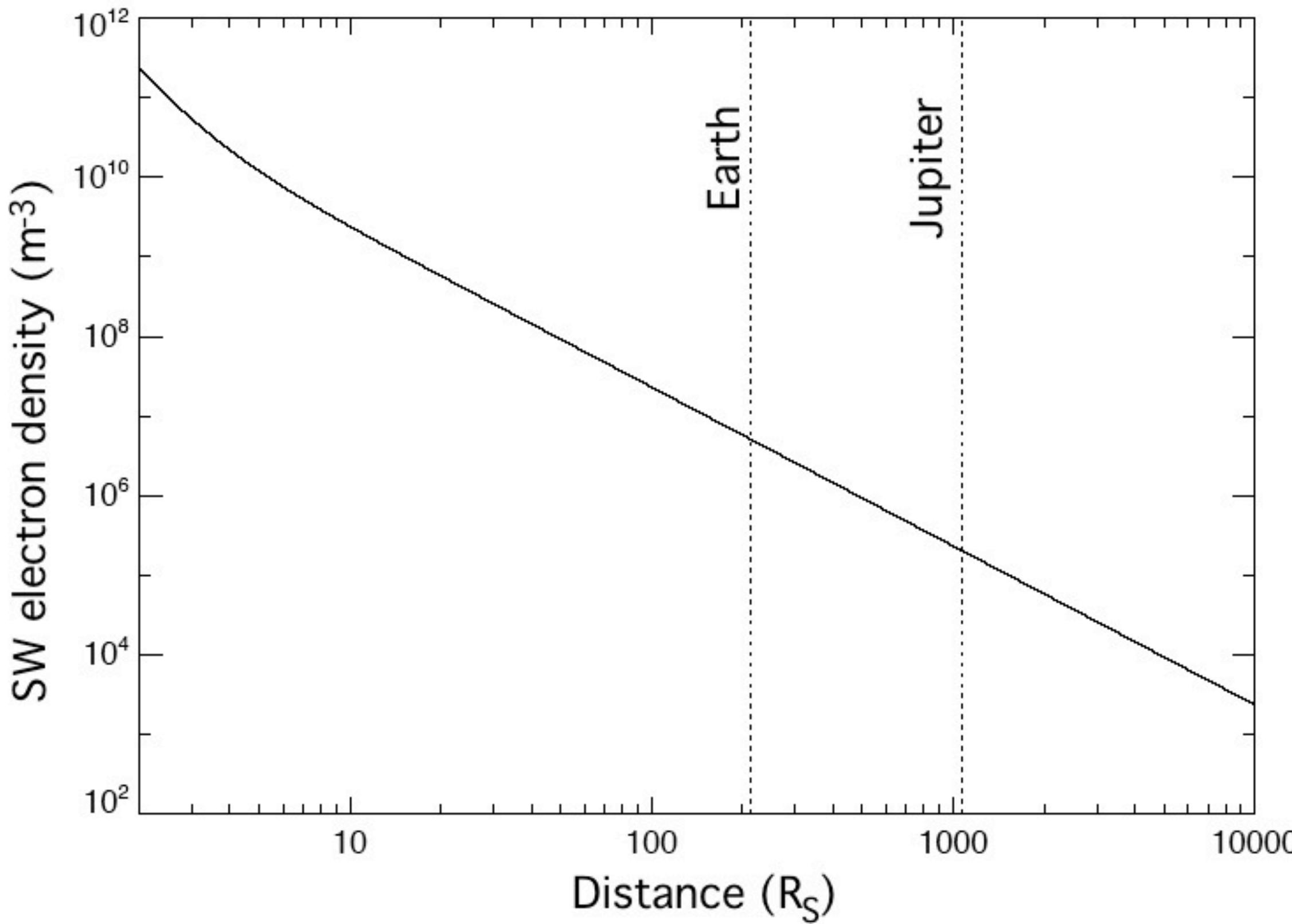
over a few % of the surface

Magnetic stars : $> 10^3 G$

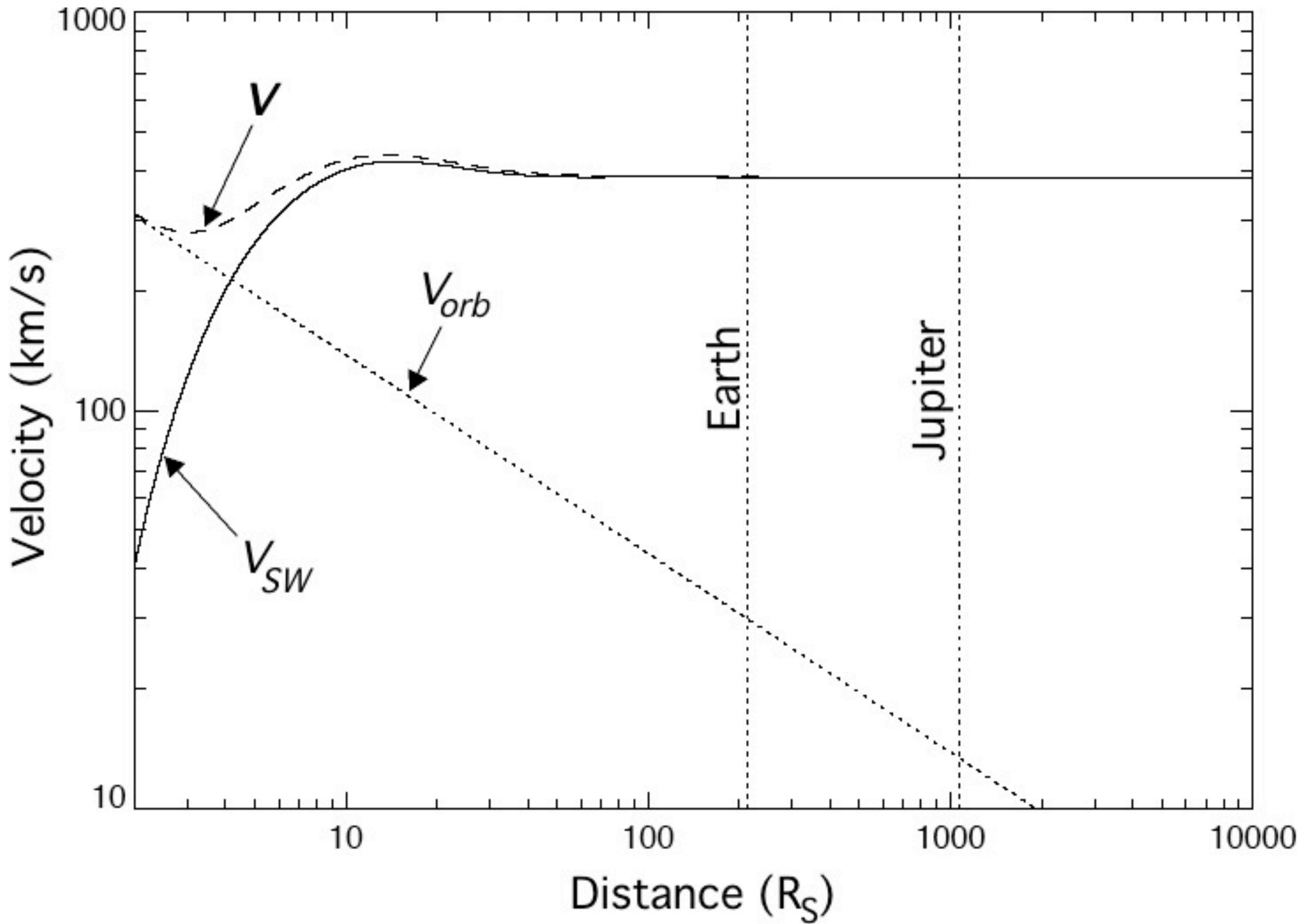


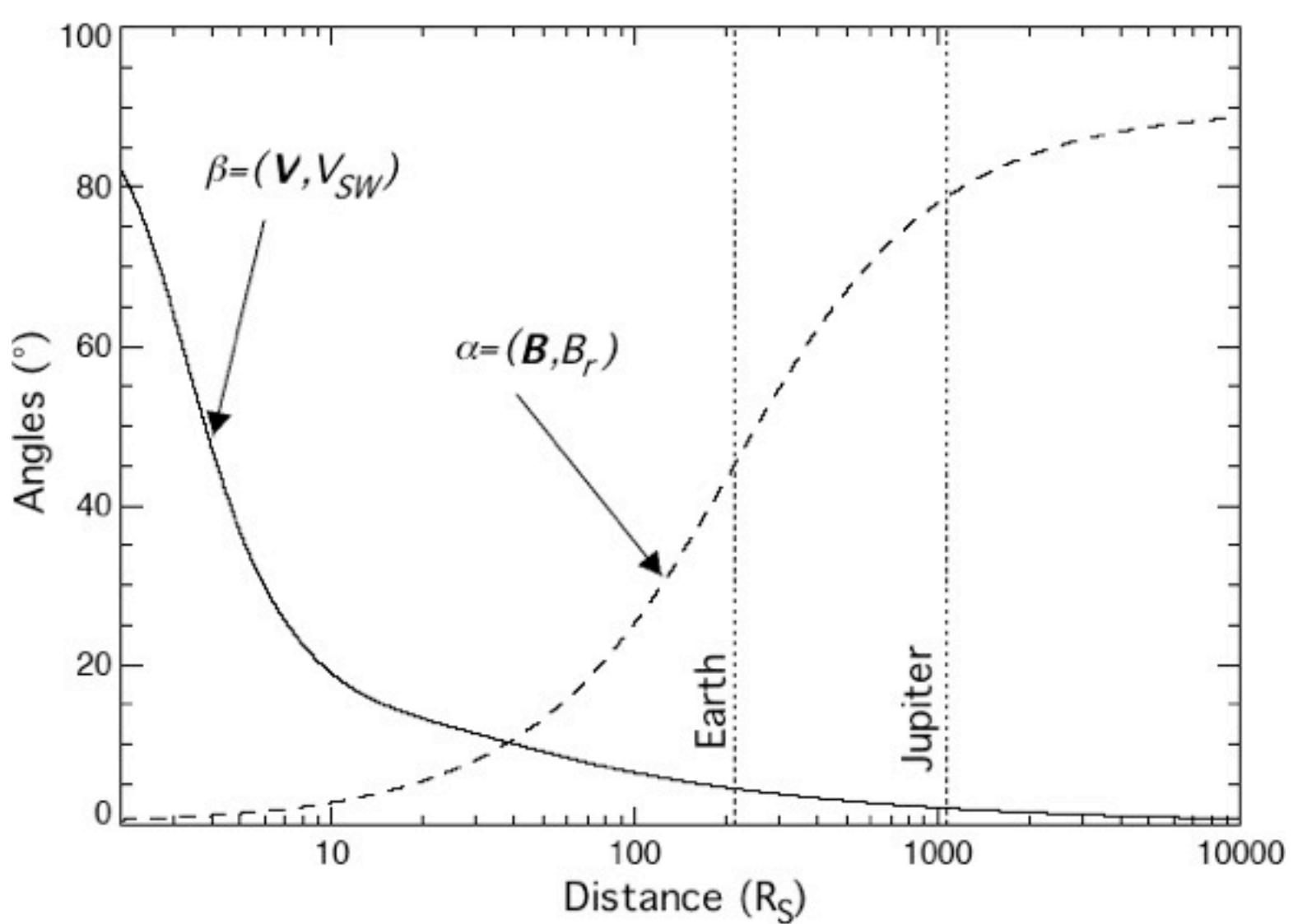
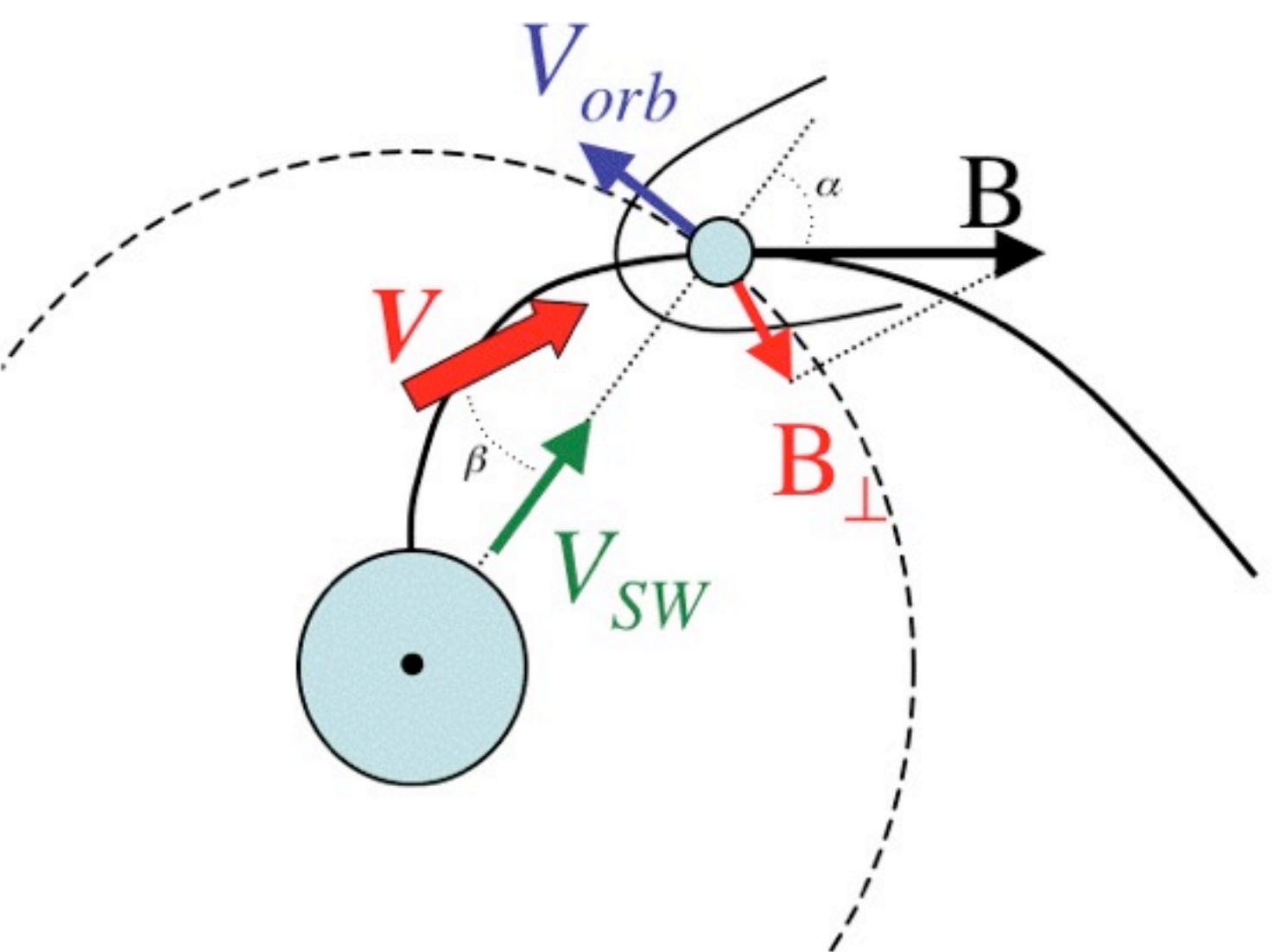
Modelling of a hot Jupiter (magnetized) orbiting a Solar type star

- Electron density in Solar corona

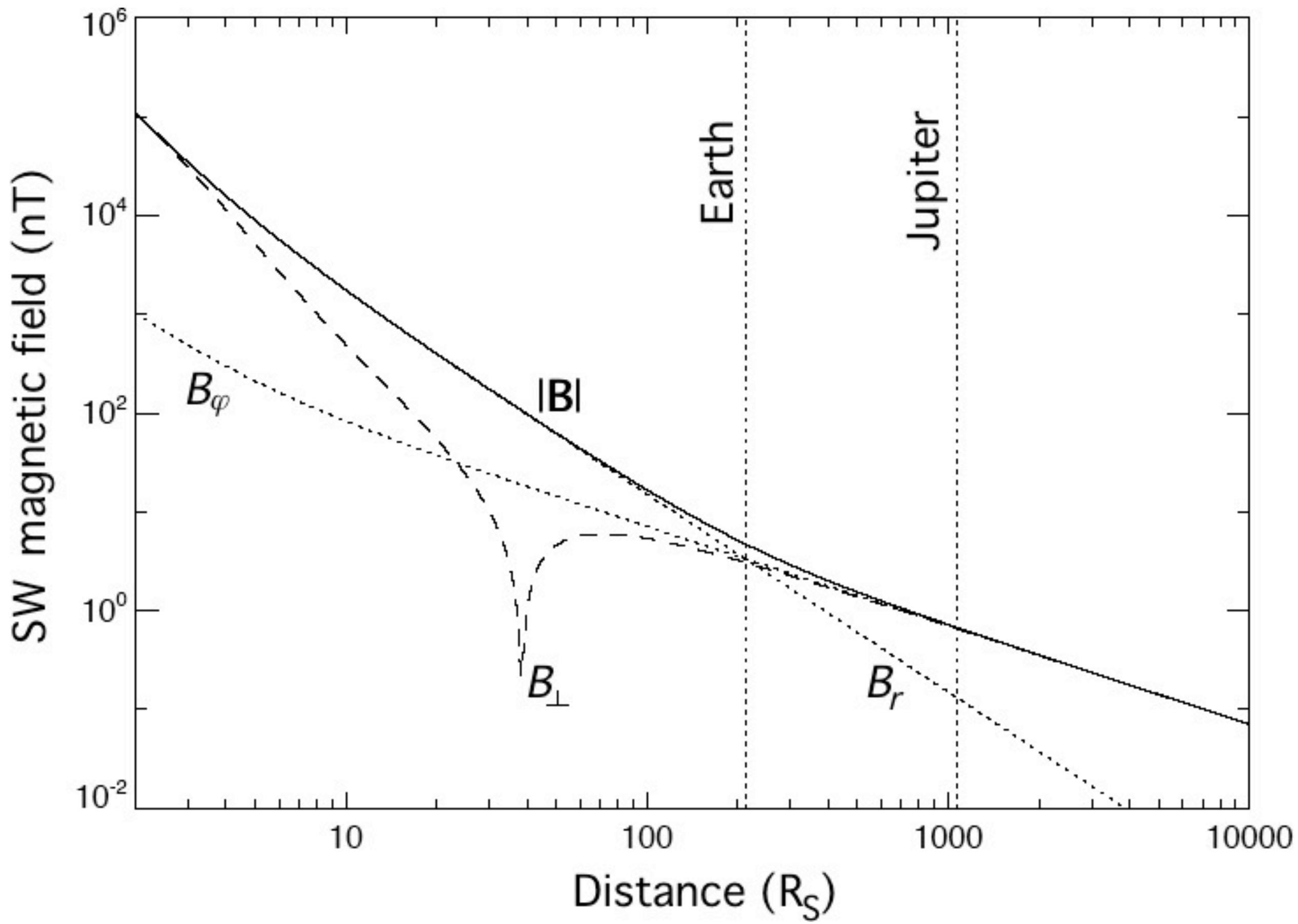


- Solar wind speed in the planet's frame

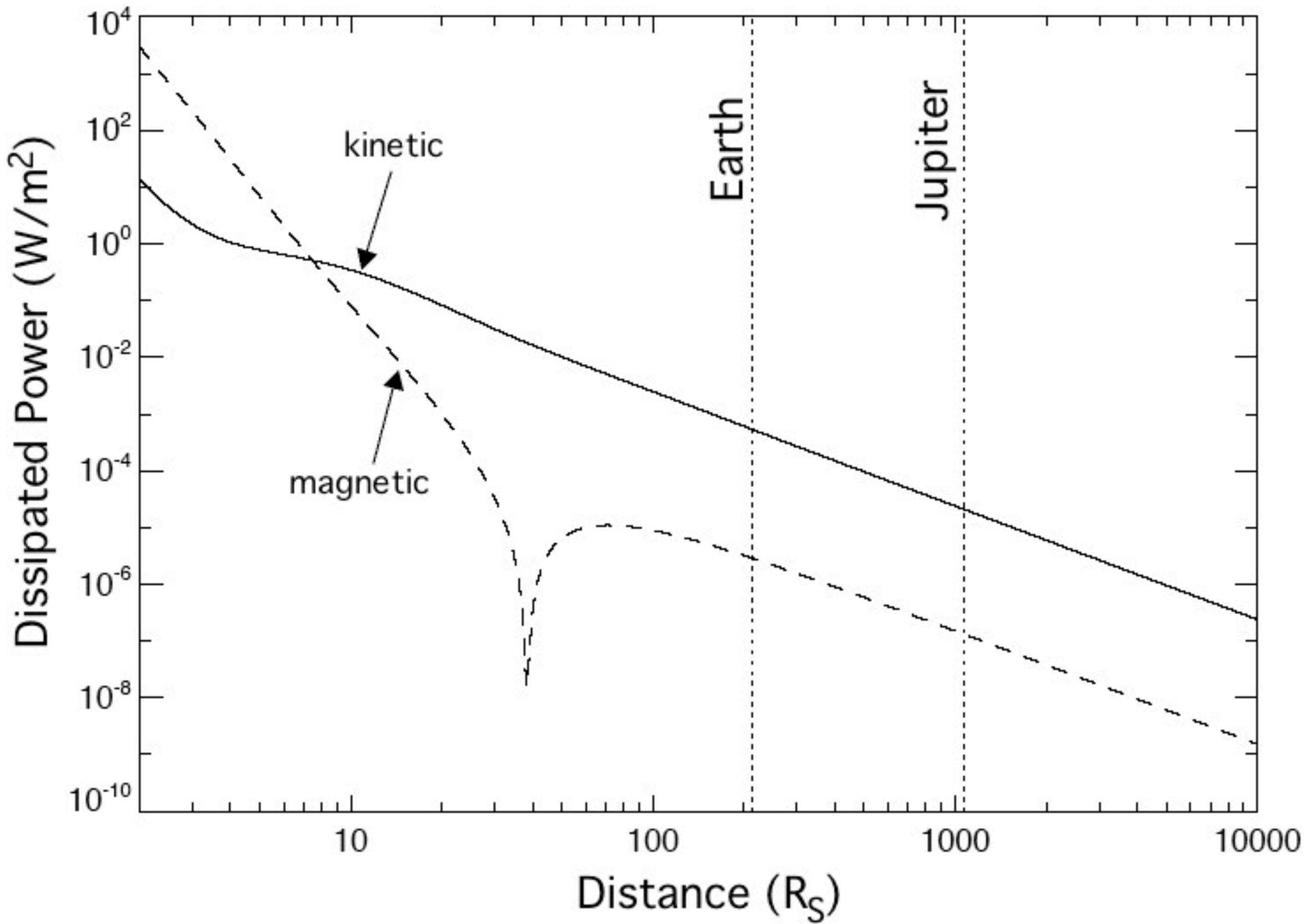




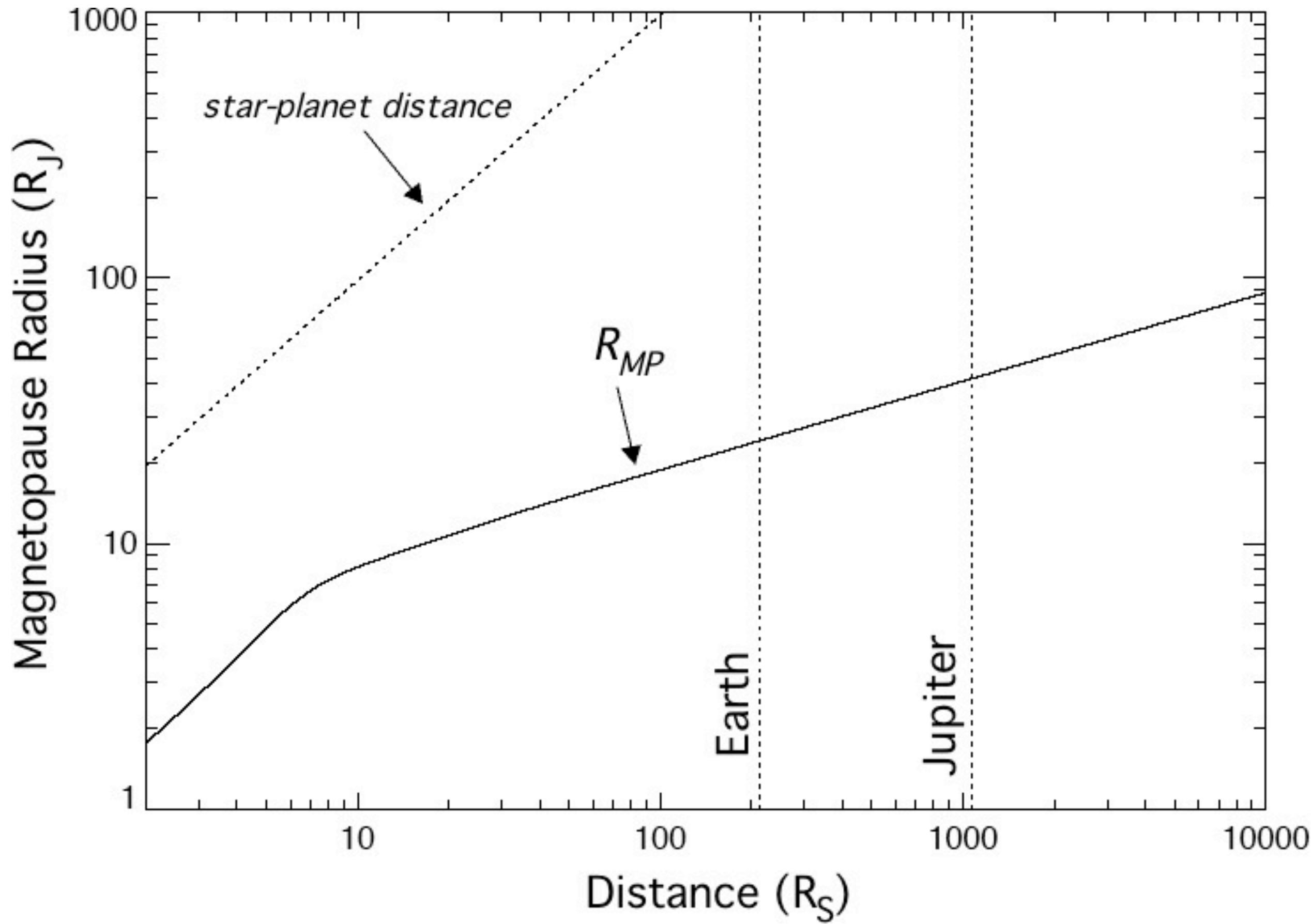
- Interplanetary magnetic field



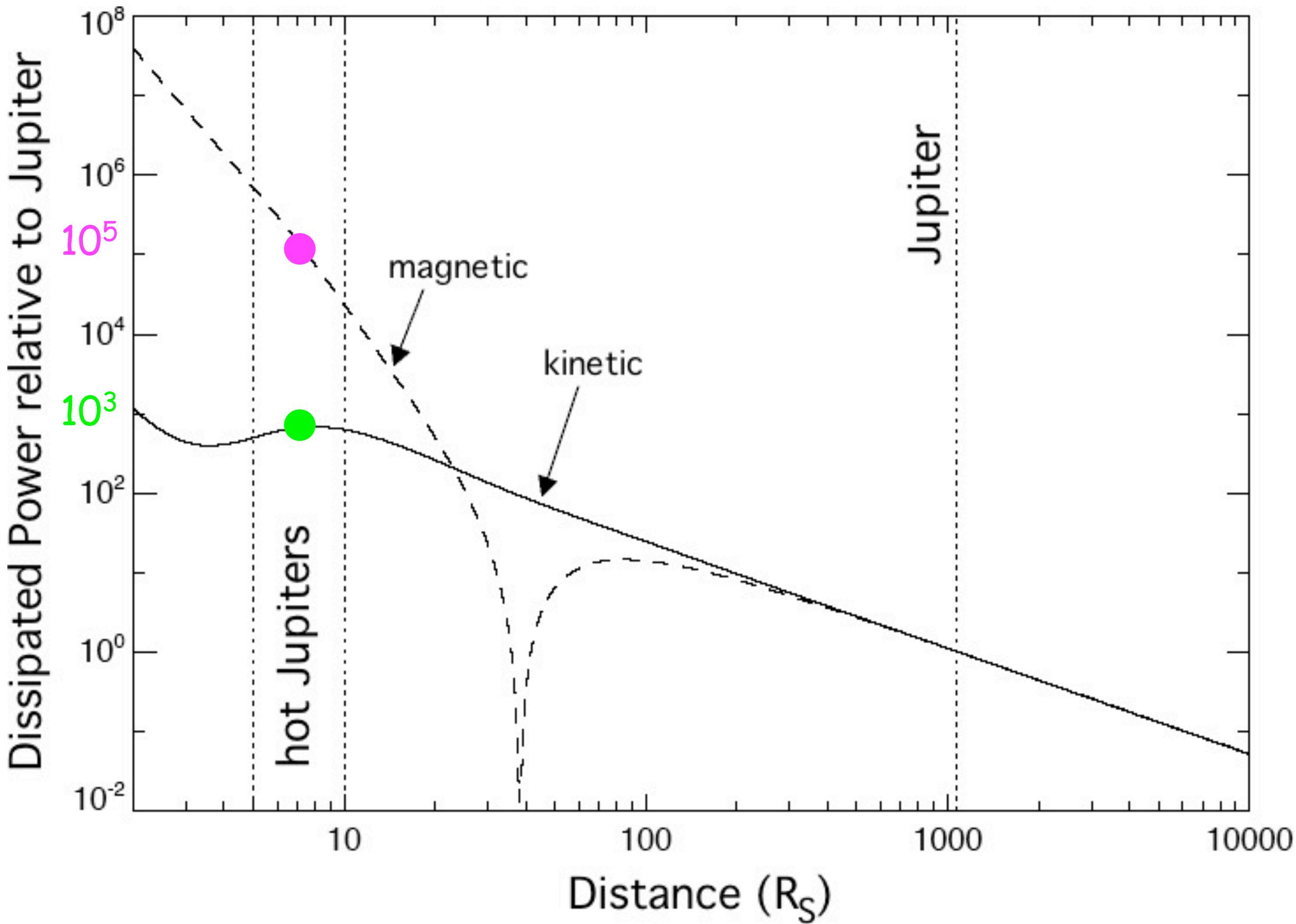
- Dissipated power per unit area of the obstacle

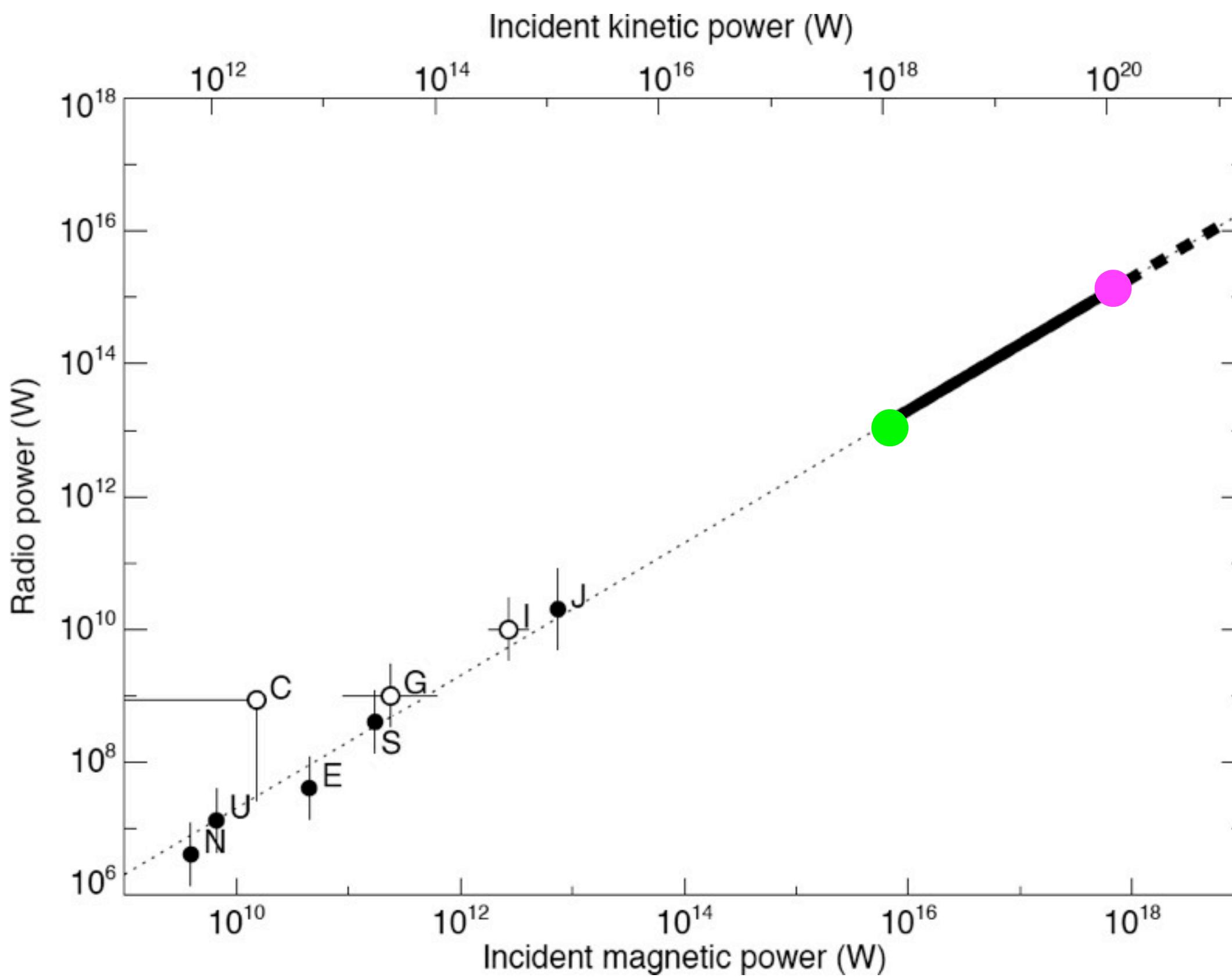


- Magnetospheric compression



- Total dissipated power on obstacle





- Extrapolation / Radio-kinetic Bode's law → $P_{\text{Radio}} = P_{\text{Radio-J}} \times 10^3$

[Farrell et al., 1999, 2004]

- Extrapolation / Radio-magnetic Bode's law → $P_{\text{Radio}} = P_{\text{Radio-J}} \times 10^5$

[Zarka et al., 2001, 2005]

except if there is a « saturation » mechanism

Planetary magnetic field decay ?

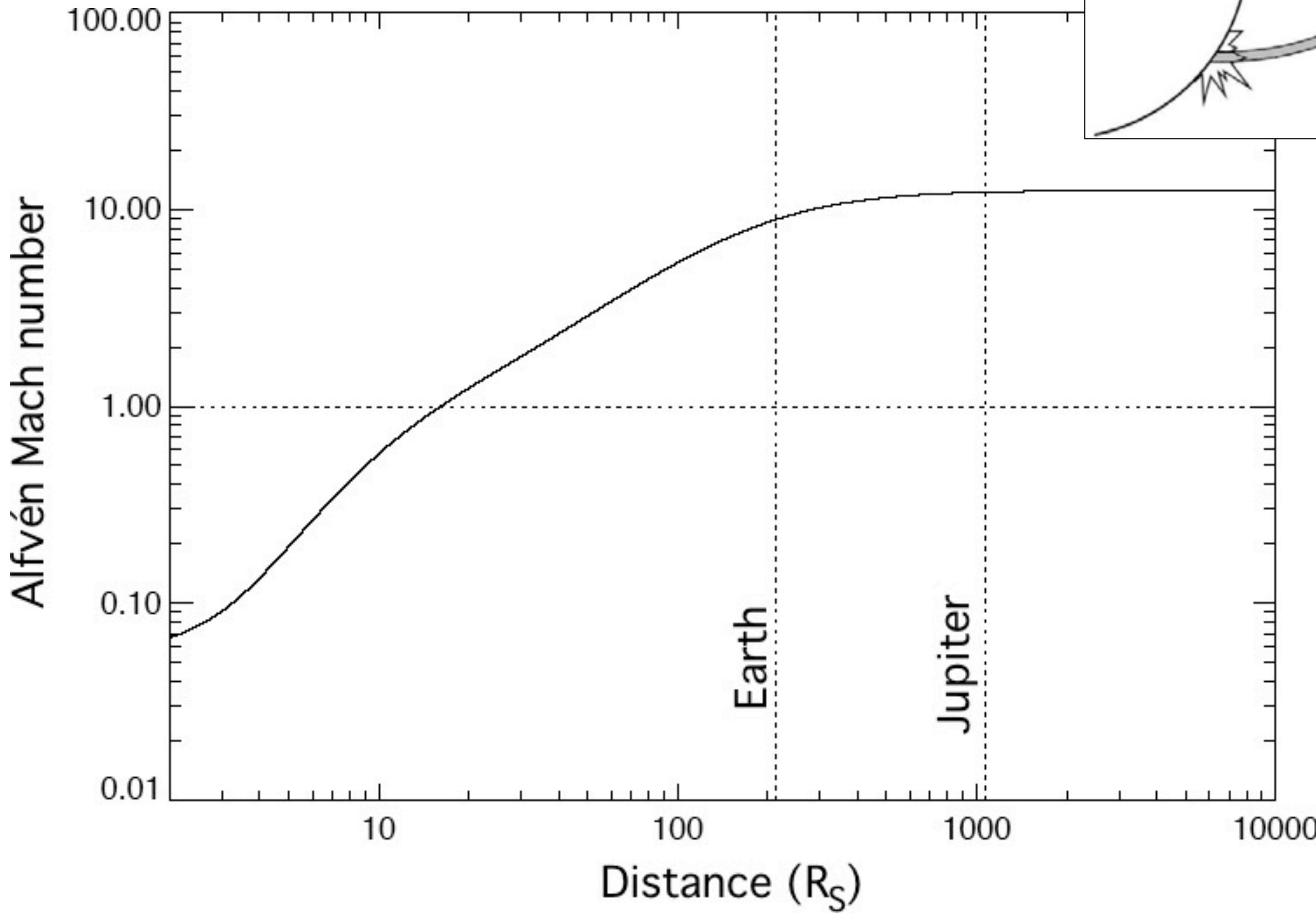
- Radio detection $\rightarrow f > 10 \text{ MHz} \rightarrow B_{\text{max-surface}} \geq 4 \text{ G}$
- Jupiter : $m = 4.2 \text{ G.R}_J^3$, $B_{\text{max-dipole}} = 8.4 \text{ G}$, $B_{\text{max-surface}} = 14 \text{ G}$, $f_{\text{max}} = 40 \text{ MHz}$
- Spin-orbit synchronisation (tidal forces) $\rightarrow \omega \downarrow$
- But $m \propto P_{\text{sid}}^\alpha$ $-1 \leq \alpha \leq -\frac{1}{2} \rightarrow m \downarrow$ (B decay) ?

UPPER LIMIT OF MAGNETIC FIELDS IN HOT JUPITERS

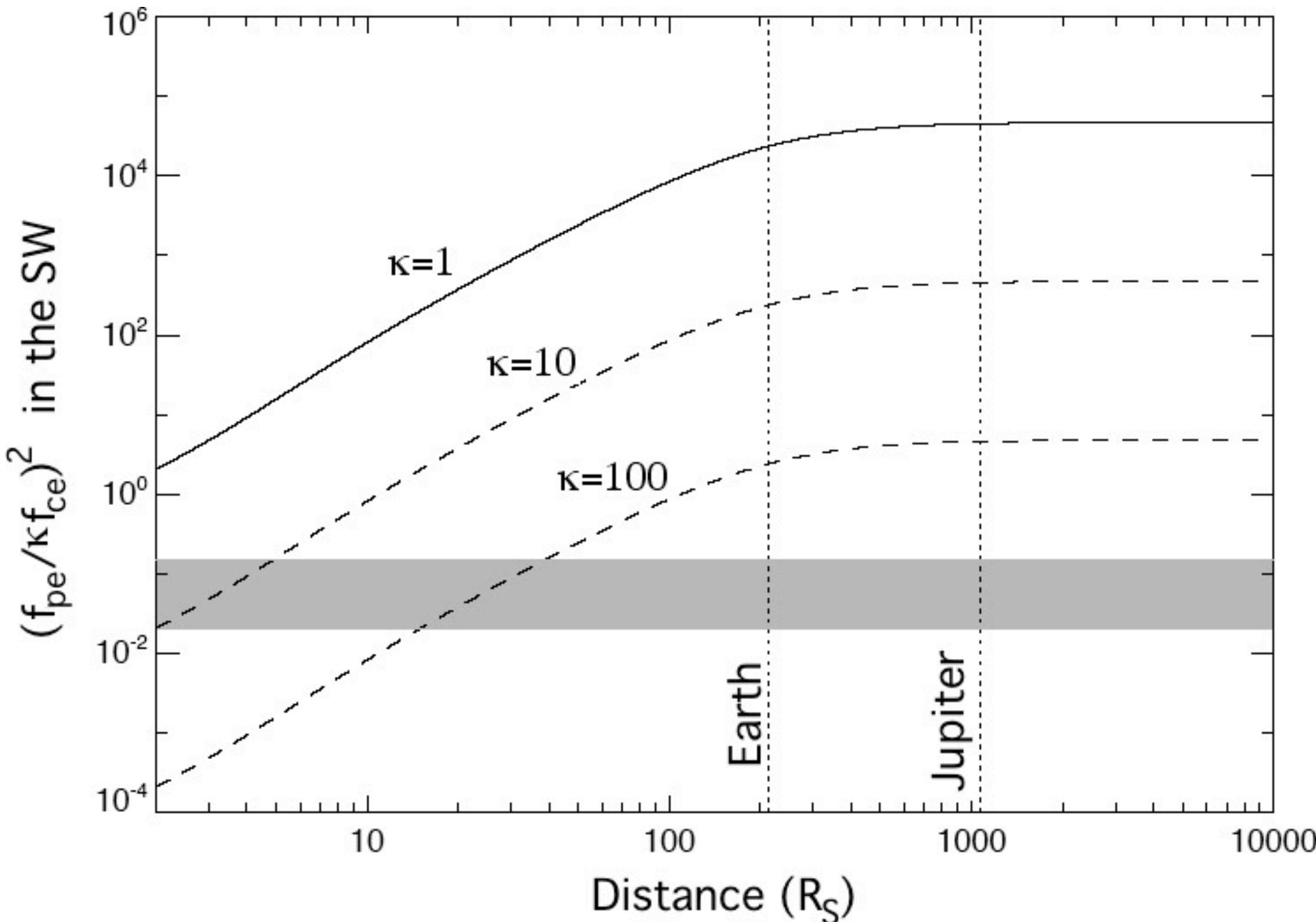
Planet	M (M_J)	P_{orb} (days)	R (R_J)	M_D (G m ³)	B_s (G)
HD 179949b ^a	0.84	3.093	1.3	1.1×10^{24}	1.4
HD 209458b	0.69	3.52	1.43	0.8×10^{24}	0.8
τ Boo b ^a	3.87	3.31	1.3	1.6×10^{24}	2
OGLE-TR-56b	0.9	1.2	1.3	2.2×10^{24}	2.8

- Internal structure + convection models
 \rightarrow self-sustained dynamo $\rightarrow m$ could remain \geq a few $G.R_J^3$

- Unipolar inductor in sub-Alfvénic regime
(as for Io-Jupiter)



- But radio emission possible only if $f_{pe}/f_{ce} \ll 1$
 - intense stellar B required ($\kappa = 10-100 \times B_{Sun}$)
 - emission $\geq 30-250$ MHz from $1-2 R_S$

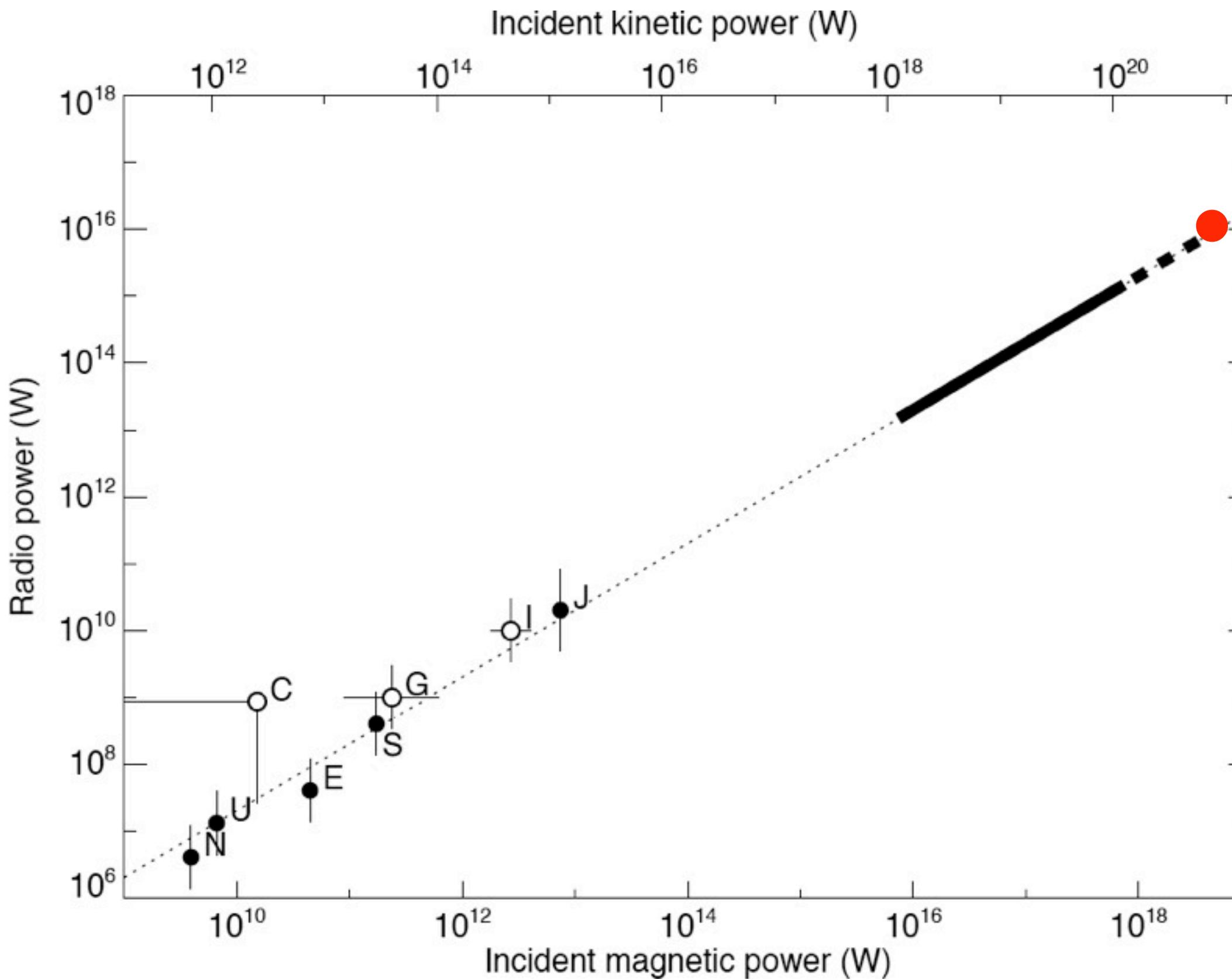


- Extrapolation / Radio-magnetic Bode's law

[Zarka , 2005]

$$\rightarrow P_{\text{Radio}} = P_J \times 10^5 \times (R_{\text{exo-ionosphere}}/R_{\text{magnetosphere}})^2 \times (B_{\text{star}}/B_{\text{Sun}})^2$$

$$= P_{\text{Radio-J}} \times 10^6$$



$$\Rightarrow \zeta = 10^5$$

	$b\tau = 10^6$ (1 MHz, 1 sec)	$b\tau = 2 \times 10^8$ (3 MHz, 1 min)	$b\tau = 4 \times 10^{10}$ (10 MHz, 1 hour)			
	$f = 10$ MHz	$f = 100$ MHz	$f = 10$ MHz	$f = 100$ MHz	$f = 10$ MHz	$f = 100$ MHz
$A_e = 10^4 \text{ m}^2$ (~NDA)	1	16	3	59	13	220
$A_e = 10^5 \text{ m}^2$ (~UTR-2)	3	50	11	190	40	710
$A_e = 10^6 \text{ m}^2$ (~LOFAR77)	9	160	33	600	130	2200

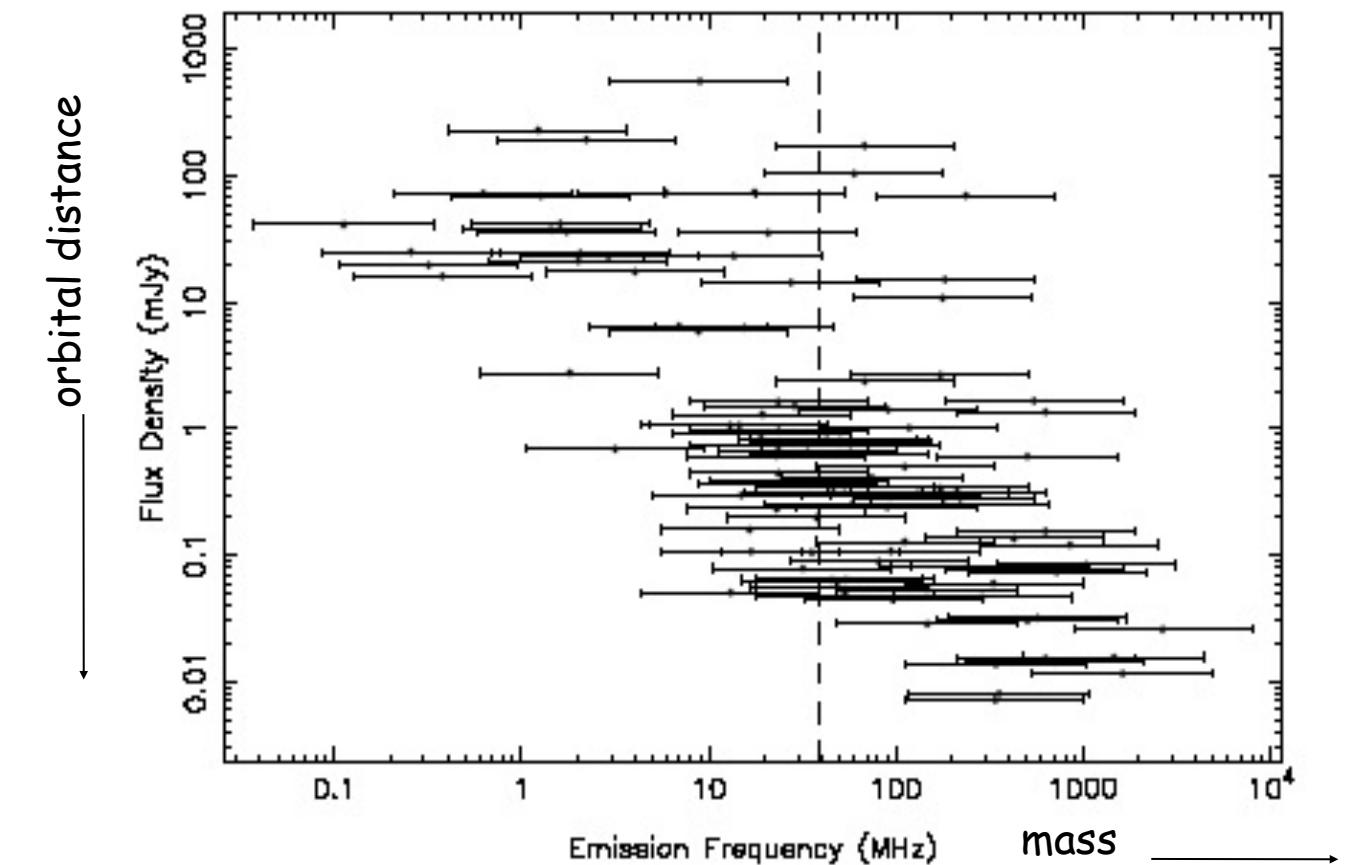
(distances in parsecs)

Other published studies ...

- Possibilities for radio scintillations \Rightarrow burts $P_{\text{radio}} \times 10^2$
[Farrell et al., 1999]
- Estimates of exoplanetary m (scaling laws - large planets better) $\rightarrow f_{ce}$ & radio flux
[Farrell et al., 1999 ; Griessmeier et al., 2004]
- F_x as wind strength estimator
[Cuntz et al., 2000 ; Saar et al., 2004, Stevens, 2005]
- Stellar wind modelling (spectral type spectral, activity, stellar rotation)
[Preusse et al., 2005]
- Time evolution of stellar wind and planetary radius (young systems better)
[Griessmeier et al., 2004 ; Stevens, 2005]
- Role of (frequent) Coronal Mass Ejections
[Khodachenko et al., 2006]
- Application of unipolar inductor model to white dwarfs systems
[Willes and Wu, 2004, 2005]

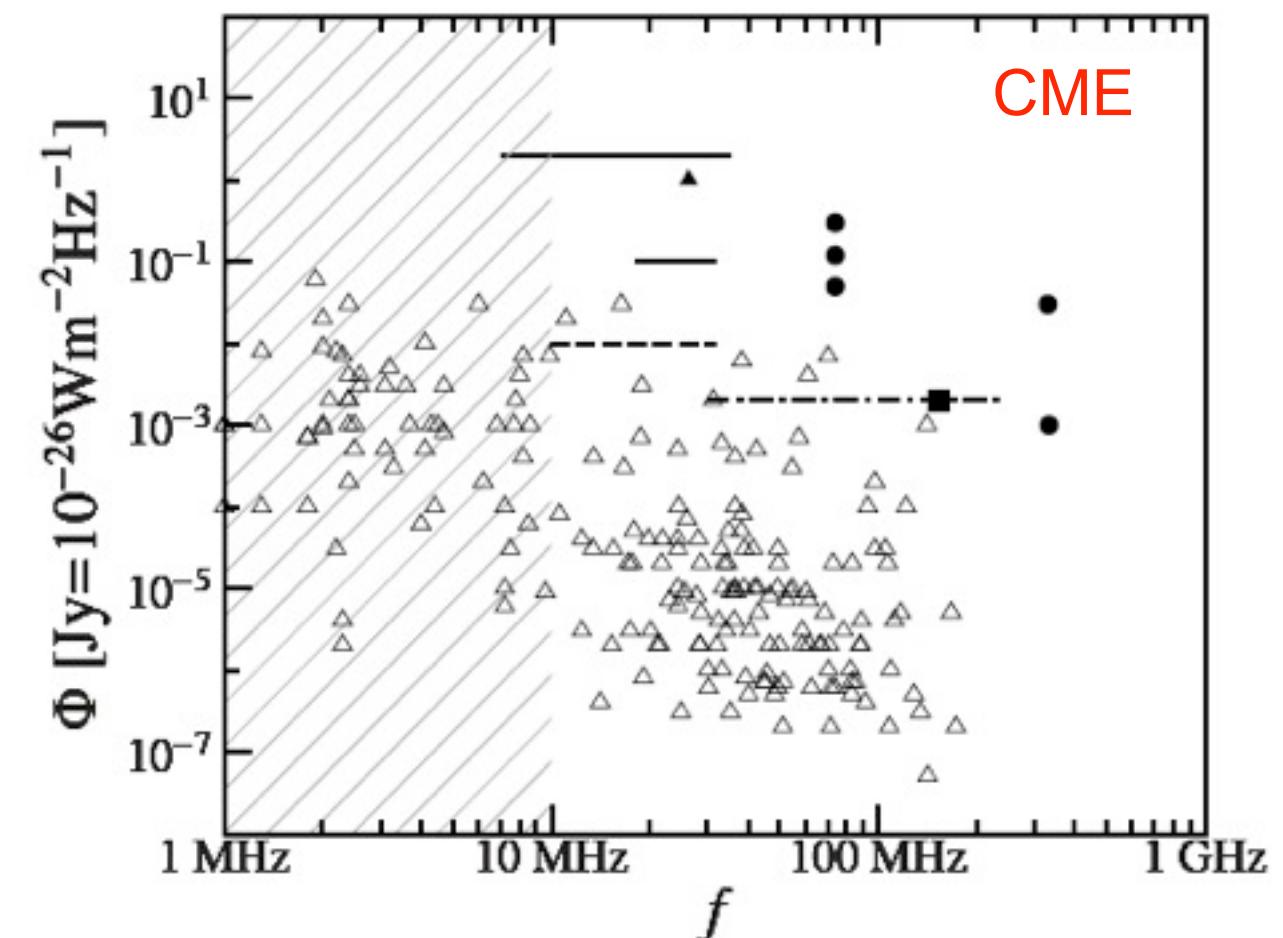
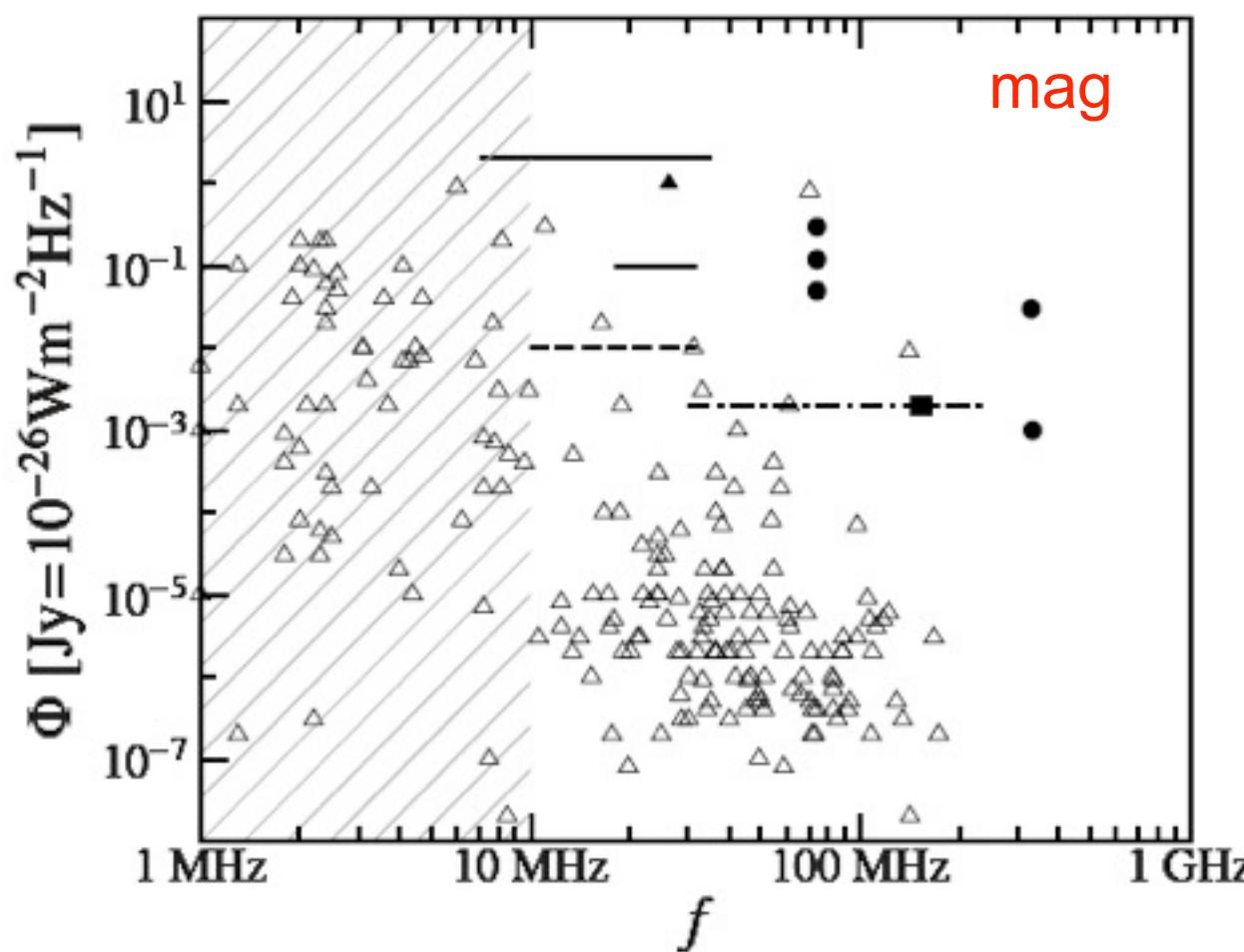
- Predictions for the whole exoplanet census
- radio-kinetic extrapolation

[Lazio et al., 2004]



- radio-magnetic + CME extrapolations

[Griessmeier , Zarka, Spreeuw, 2007]



- Interest of LF radio observations of exoplanets
- Theoretical predictions
 - planetary radio emissions
 - energy sources
 - scaling laws
 - extrapolation to exoplanets
- Conclusion



- The Radio Search for Extrasolar Planets is worth pursuing !
- Objectives
 - Direct detection (planet-star distinction via polarization & periodicity)
 - Planetary rotation period
 - Measurement of B ⇒ constraints on scaling laws & internal structure models
 - Comparative magnetospheric physics (star-planet interactions)
 - Discovery tool (eventually) ?
- Ongoing observations at UTR-2, GMRT, VLA
- Future observations with : LOFAR, ALMA, SKA ... and from the Moon ?